DMS oxidation and sulfur aerosol formation in the marine troposphere: a focus on reactive halogen and multiphase chemistry

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Abstract. The oxidation of dimethyl sulfide (DMS) in the troposphere and subsequent chemical conversion into sulfur dioxide (SO2) and methane sulfonic acid (MSA) are key processes for the formation and growth of sulfur-containing aerosol and cloud condensation nuclei (CCN), but is highly simplified in large-scale models of the atmosphere. In this study, we implement a series of gas-phase and multiphase sulfur oxidation mechanisms into the GEOS-Chem global chemical transport model, including two important intermediates dimethyl sulfoxide (DMSO) and methane sulphinic acid (MSIA), to investigate the sulfur cycle in the global marine troposphere. We found that DMS is mainly oxidized in the gas phase by OH (66%), NO3 (16%) and BrO (12%) globally. DMS+BrO is important for the model’s ability to reproduce the observed seasonality of surface DMS mixing ratio in the Southern Hemisphere. MSA is mainly produced from multiphase oxidation of MSIA by OH(aq) (66%) and O3(aq) (30%) in cloud droplets and aerosols. Aqueous-phase reaction with OH accounts for only 12% of MSA removal globally and a higher MSA removal rate is needed to reproduce observations of MSA/nssSO42− ratio. The modeled conversion yield of DMS into SO2 and MSA is 75% and 15%, respectively, compared to 91% and 9% in the standard model run that includes only gas-phase oxidation of DMS by OH and NO3. The remaining 10% of DMS is lost via deposition of intermediates DMSO and MSIA. The largest uncertainties for modeling sulfur chemistry in the marine boundary layer (MBL) are unknown concentrations of reactive halogens (BrO and Cl) and OH(aq) concentrations in cloud droplets and aerosols. To reduce uncertainties in MBL sulfur chemistry, we should prioritize observations of reactive halogens and OH(aq).

1 Introduction

The biogenic emission of dimethyl sulfide (DMS: CH3SCH3) from the ocean is the largest natural sulfur source to the atmosphere (Andreae, 1990). After emission, DMS is mainly oxidized in the troposphere, with a lifetime against oxidation of 1-2 days (Chin et al., 1996; Boucher et al., 2003; Breiden et al., 2010). The oxidation of DMS and subsequent formation of other sulfur species such as sulfuric acid (H2SO4) and methane sulfonic acid (MSA: CH3SO2H) are crucial for the formation and evolution of natural aerosols and clouds in the marine boundary layer (MBL) and thus have profound climate
implications (Charlson et al., 1987; von Glasow and Crutzen, 2004; Thomas et al., 2010). In particular, Carslaw et al. (2013) pointed out that natural aerosols such as those that originate from DMS oxidation account for the largest uncertainty of aerosol radiative forcing in climate models.

The atmospheric fate of DMS determines the extent to which DMS affects our climate system. Production of $H_2SO_4$ and MSA from gas-phase oxidation of DMS-derived products can result in nucleation of new particles under favorable conditions (Kulmala et al., 2000; Chen et al., 2015), with implications for aerosol and CCN number concentrations. Sulfate and MSA formed in the aqueous phase will not result in new particle formation, but will impact the aerosol size distribution with implications for cloud microphysical properties (Kreidenweis and Seinfeld, 1988; Kaufman and Tanre, 1994). The oxidation mechanisms of DMS and subsequent formation of sulfate and MSA are, however, very complicated and still not well understood even after decades of research (Ravishankara et al., 1997; Barnes et al., 2006; Hoffmann et al., 2016). Large-scale models of atmospheric chemistry typically contain very simplified DMS chemistry, and often ignore potentially important reaction intermediates. Most of these models include oxidation of DMS by OH and NO$_3$ radicals, directly producing SO$_2$ and MSA, and ignore the formation of dimethyl sulfoxide (DMSO: CH$_3$SOCH$_3$) and methane sulphinic acid (MSIA: CH$_3$SO$_2$H) intermediates (Chin et al., 1996; 2000; Gondwe et al., 2003; 2004; Berglen et al., 2004; Kloster et al., 2006). Nevertheless, previous large-scale modeling studies suggested that BrO could be an important sink for DMS globally (up to 30%), especially in the remote MBL where BrO mixing ratios can reach ppt levels (Boucher et al., 2003; von Glasow et al., 2004; Breider et al., 2010; Khan et al., 2016). Other oxidants that may be important for DMS oxidation include Cl radicals in the gas phase (von Glasow and Crutzen, 2004; Hoffmann et al., 2016) and O$_3$ in the gas and aqueous phase (Boucher et al., 2003; Hoffmann et al., 2016).

Some large-scale models have simulated the formation of the DMSO intermediate from DMS oxidation (Pham et al., 1995; Cosme et al., 2002; von Glasow et al., 2004; Castebrunet et al., 2009), which is important as DMSO is highly water soluble (Henry’s law constant ($H_{DMSO}$) on the order of $10^7$ M atm$^{-1}$) and can undergo dry and wet deposition in addition to gas- and aqueous-phase oxidation to MSA or SO$_2$ (Lee and Zhou, 1994; Campolongo et al., 1999; Barnes et al., 2006; Zhu et al., 2006; Hoffmann et al., 2016). In the cloud-free MBL, DMSO is mainly produced by DMS + BrO and DMS + OH(g) via the addition channel and is oxidized by OH in the gas phase. In the cloudy MBL, DMSO is mainly produced via DMS+O$_3$(aq) and oxidized via DMSO+OH$_{aq}$ in the aqueous phase (Hoffmann et al., 2016). Knowledge about aqueous-phase concentrations of OH in cloud droplets and aerosols is still very limited. Modeled OH$_{aq}$ concentrations are on the order of $10^{-14}$-$10^{-12}$ M (Jacob, 1986; Matthijsen et al., 1995; Jacob et al., 1989; Herrmann et al., 2000). However, recent observations of OH$_{aq}$, which are derived from the concentrations of dissolved organic compounds, are about two orders of magnitude lower ($10^{-16}$-$10^{-14}$ M) (Arakaki et al., 2013; Kaur and Anastasio, 2017). In addition to aqueous-phase oxidation of DMSO by OH$_{aq}$, a box modeling study by Zhu et al. (2006) suggested that SO$_4^{2-}$ and Cl$_2^-$ could contribute to 34% and 10% of DMSO oxidation in the aqueous phase, respectively, with SO$_4^{2-}$ and Cl$_2^-$ concentrations of $1\times10^{12}$ M and $1\times10^{11}$ M (Herrmann et al., 2000),
respectively. It should be noted that \( \text{OH}_{(aq)} \), \( \text{SO}_4^{2-} \) and \( \text{Cl}_2 \) concentrations are poorly known and the contribution of these species to DMSO oxidation will depend on their concentrations.

MSIA is generally not included in large-scale models, though it has been considered in some one-dimensional or box models (Lucas and Prinn, 2002; von Glasow and Crutzen, 2004; Zhu et al., 2006; Hoffmann et al., 2016). The Henry’s law constant of MSIA has not been measured directly but is thought to be larger than that of DMSO and smaller than that of MSA, on the order of \( 10^8 \text{ M atm}^{-1} \) (Barnes et al., 2006). MSIA is mainly produced from oxidation of DMSO by \( \text{OH} \) in both the gas and aqueous phase, and removed via further oxidation by \( \text{OH} \) and \( \text{O}_3 \) in both the gas and aqueous phase and \( \text{Cl}_2 \) in the aqueous phase (von Glasow and Crutzen, 2004; Zhu et al., 2006; Barnes et al., 2006; Hoffmann et al., 2016). Only oxidation of MSIA by \( \text{OH} \) in the gas phase produces \( \text{SO}_2 \), all other pathways lead to MSA formation. The contribution of each pathway towards MSIA oxidation depends on the concentration of each oxidant. Zhu et al. (2006) suggested \( \text{Cl}_2 \) is more important than \( \text{OH}_{(aq)} \) for MSIA oxidation in the aqueous phase when assuming a \( \text{Cl}_2 \) concentration of \( 1 \times 10^{-11} \text{ M} \) (Herrmann et al., 2000), while Hoffmann et al. (2016) suggested the opposite with a lower \( \text{Cl}_2 \) concentration (\( 1.5 \times 10^{-12} \text{ M} \)).

The only source of MSA in the marine troposphere is from oxidation of DMS emitted from the marine biosphere. It thus contains information on both DMS emission flux and chemistry. It has been proposed as an ice-core proxy for sea ice extent in past climates, as a result of melting sea ice releasing nutrients to stimulate phytoplankton growth to produce DMS (Curran et al., 2003; Abram et al., 2010). Other factors such as oxidation mechanisms of DMS and atmospheric circulation can also affect MSA abundance in ice core records (Becagli et al., 2009; Hezel et al., 2011). As DMS is the dominant sulfur source of both MSA and non-sea-salt sulfate (\( \text{nssSO}_4^{2-} \)) in the remote marine troposphere, the MSA/\( \text{nssSO}_4^{2-} \) molar ratio there reflects sulfur chemistry. In addition, the MSA/\( \text{nssSO}_4^{2-} \) molar ratio has often been used as a measure of marine biogenic contribution to total atmospheric sulfate formation, as \( \text{nssSO}_4^{2-} \) has both anthropogenic and natural origins while MSA is generally considered to have a predominant natural origin (Andreae et al., 1999; Savoie et al., 2002; Gondwe et al., 2004). MSA is very water soluble, with a Henry’s law constant on the order of \( 10^9 \text{ M atm}^{-1} \) (Campolongo et al., 1999), and is mainly removed from the atmosphere via wet and dry deposition with a lifetime of about a week (Pham et al, 1995; Chin et al., 1996; 2000; Cosme et al., 2002; Hezel et al., 2011). One-dimensional modeling studies by Zhu et al. (2006) and von Glasow and Crutzen (2004) suggested that the oxidation of MSA by \( \text{OH}_{(aq)} \) in the aqueous phase to form \( \text{SO}_2^{2-} \) in the MBL could also be a significant loss process of MSA (3-27%) (Zhu et al., 2006; von Glasow and Crutzen, 2004), while a box modeling study by Hoffmann et al. (2016) found it negligible (2%). The different conclusions regarding the role of reaction of MSA with \( \text{OH}_{(aq)} \) is due to different assumptions regarding \( \text{OH}_{(aq)} \) concentrations, which is highly uncertain.

In this study, we expand upon the current simplified DMS chemistry in a global chemical transport model GEOS-Chem, including the DMSO and MSIA intermediates. We investigate the role of gas-phase and multiphase oxidation of DMS, DMSO, MSIA and MSA for determining their spatial distribution, seasonality, and lifetime and the implications for the
MBL and global sulfur budget. Observations of DMS mixing ratios from 4 locations and MSA/nssSO$_4^{2-}$ ratios from 23 locations around the globe obtained from previous studies are used to assess the performance of model. We conclude with recommendations for future laboratory experiments and field campaigns, and recommendations for sulfur chemistry that should be included in large-scale models of atmospheric chemistry and climate.

2 GEOS-Chem model

In this study, we use a global 3-D chemical transport model GEOS-Chem v9-02 (http://www.geos-chem.org/), which is driven by assimilated meteorological data from the NASA Goddard Earth Observing System (GEOS-5, http://gmao.gsfc.nasa.gov). It contains detailed HO$_x$-NO$_x$-VOC-ozone-BrO$_x$ tropospheric chemistry originally described in Bey et al. (2001), with updated BrO$_x$ and sulfate chemistry described in Parrella et al. (2011), Schmidt et al. (2016) and Chen et al. (2017). The sulfate-nitrate-ammonium aerosol simulation is fully coupled to gas-phase chemistry (Park et al., 2004), with aerosol thermodynamics described in Pye et al. (2009). The sea salt aerosol simulation is described in Jaeglé et al. (2011) and bulk cloud water pH is calculated as described in Alexander et al. (2012). The model contains detailed deposition schemes for both gas species and aerosols (Liu et al., 2001; Amos et al., 2012; Zhang et al., 2001; Wang et al., 1998). All simulations are performed at 4°×5° horizontal resolution and 47 vertical levels up to 0.01 hPa (~81 km) after a model spin up of one year. The vertical layer thickness ranges from 120-150 m for the first 12 layers to 200-800 m for the 13th-27th layers and >1000 m for the rest (http://acmg.seas.harvard.edu/geos/doc/archive/man.v9-01-02/appendix_3.html#A3.5.2).

Year 2007 is chosen as a reference year to be consistent with Schmidt et al. (2016) and Chen et al. (2017). DMS emission flux from the ocean (F) is parameterized following Lana et al. (2011): $F = k_T C_w$, where gas transfer velocity $k_T$ (m s$^{-1}$) is a function of sea surface temperature and wind speed and $C_w$ (mol m$^{-3}$) is the DMS concentrations in sea water obtained from Lana et al. (2011). In a sensitivity simulation, we used $C_w$ from Kettle et al. (1999).

The standard model contains only three gas-phase DMS oxidation pathways in the original version, which produces SO$_2$ and MSA directly (R1-R3), following Chin et al. (1996) with updated reaction rate coefficients from Burkholder et al. (2015):

$$\text{DMS}_{(g)} + \text{OH}_{(g)} \rightarrow \text{SO}_2_{(g)} + \text{CH}_3\text{O}_2 + \text{CH}_2\text{O} \quad (R1)$$

$$\text{DMS}_{(g)} + \text{OH}_{(g)} \rightarrow 0.75\text{SO}_2_{(g)} + 0.25\text{MSA}_{(g)} \quad (R2)$$

$$\text{DMS}_{(g)} + \text{NO}_3_{(g)} \rightarrow \text{SO}_2_{(g)} + \text{HNO}_3 + \text{CH}_3\text{O}_2 + \text{CH}_2\text{O} \quad (R3)$$

The yields of SO$_2$ and MSA for the addition channel of the gas-phase DMS+OH reaction are originally from Chatfield and Crutzen (1990), who made simplified assumptions in their 2-D model based on previous laboratory experiments and modeling studies. It should be noted that only gas-phase chemistry was considered when they made the assumptions of the
yields of SO₂ and MSA, which might not represent the real atmosphere as multiphase chemistry has been suggested to be the biggest source of MSA in the atmosphere (Zhu et al., 2006; Hoffmann et al., 2016).

We add the DMSO and MSIA intermediates as two new advected chemical tracers, which undergo chemical production and loss, transport and deposition in the model. We add 12 new chemical reactions in the model, including gas-phase oxidation of DMS by OH (addition channel, modified to produce DMSO instead of MSA), BrO, Cl and O₃, multiphase oxidation of DMS by O₃, both gas-phase and multiphase oxidation of DMSO by OH, both gas-phase and multiphase oxidation of MSIA by OH and O₃, and multiphase oxidation of MSA by OH, as shown in Table 1. The rate coefficients for all gas-phase sulfur reactions are obtained from the most recent JPL report (Burkholder et al., 2015), except for MSIA(g) + O₃(g) (Lucas and Prinn, 2002; von Glasow and Crutzen, 2004). The sulfur product yields for gas-phase reactions are obtained from various laboratory and modeling studies as indicated in Table 1. Product yields of 0.6 for SO₂ and 0.4 for DMSO have been commonly used in global models (Pham et al., 1995; Cosme et al., 2002; Spracklen et al., 2005; Breider et al., 2010) based on experiments described in Turnipseed et al. (1996) and Hynes et al. (1993). All oxidants (OH, O₃, H₂O₂, BrO, HOBr) are simulated in the full chemistry scheme, except for Cl radicals. We used monthly mean Cl mixing ratios from Sherwen et al. (2016), which considered Cl-Br-I coupling but did not include chlorine production on sea salt aerosols that was suggested to be the largest tropospheric chlorine source in Schmidt et al. (2016). We imposed a diurnal variation of Cl abundances based on solar zenith angle, similar to the offline simulation of OH abundances in GEOS-Chem (Fisher et al., 2017). The global distributions of tropospheric annual-mean concentrations of BrO, Cl, OH and O₃ are shown in Fig. 12. The high BrO abundances over subtropics and polar regions are due to low deposition fluxes of reactive bromine (Schmidt et al., 2016) and the high BrO abundance over Southern Ocean is due to its source from sea salt debromination (Chen et al., 2017). The high Cl abundance over coastal regions in the Northern Hemisphere is due to heterogeneous uptake of N₂O₅ on sea salt aerosols to produce reactive chlorine (Sherwen et al., 2017).

For the multiphase reactions DMS(g) + O₃(aq), DMSO(g) + OH(aq), MSIA(g) + OH(aq), MSIA(g) + O₃(aq) and MSA(g) + OH(aq) in cloud droplets and aerosols, we assume a first-order loss of the gas-phase sulfur species, following the parameterization described in Ammann et al. (2013) and Chen et al. (2017):

\[
\frac{dX(g)}{dt} = -\frac{c}{4} \gamma \gamma_A X(g),
\]

where X represents DMS, DMSO, MSIA or MSA; c is the average thermal velocity of X (m s⁻¹); A (m² m⁻³) is the total surface area concentration of aerosols or cloud droplets; γ (unitless) is the reactive uptake coefficient of X that involves gas diffusion (γ_d), mass accommodation (α_b) and chemical reaction (Γ_b) in the aerosols or cloud droplets, as calculated in E5-E7.

\[
\frac{1}{\gamma} = \frac{1}{\gamma_d} + \frac{1}{\alpha_b} + \frac{1}{\Gamma_b}
\]
\[
\gamma_d = \frac{4D_g}{cr}
\]  

(6)

\[
\Gamma_b = \frac{4H_xRT}{\sqrt{D_{lxk_{xy}}[Y]r}}
\]  

(7)

where \(r\) is radius for aerosols or cloud droplets (m); \(D_g\) is the gas phase diffusion coefficient of X (m² s⁻¹), calculated as a function of air temperature and air density following Chen et al. (2017). \(H_x\) and \(D_l\) are the Henry’s law constant (M atm⁻¹) and liquid phase diffusion coefficient (m² s⁻¹) of X, which are summarized in Table 2; \(R (=8.31 \times 10^{-2} \text{ L bar mol}^{-1} \text{ K}^{-1})\) is the universal gas constant. \(T\) is air temperature (K). \([Y] (= [O_{H_{aq}}] \text{ or } [O_{3(aq)}])\) is the aqueous phase concentration of the oxidant in aerosols or cloud droplets (M), where \([O_{3(aq)}]\) is calculated assuming gas-liquid equilibrium and \([O_{H_{aq}}]\) is calculated following Jacob (2005) ([OH_{aq}]=\beta[OH_{g}]), \(\beta=1 \times 10^{-19} \text{ M cm}^{3} \text{ molecule}^{-1}\). This is about two orders of magnitude higher than \([OH_{aq}]\) calculated indirectly from dissolved organic compound observations in Arakaki et al. (2013) and Kaur and Anastasio (2017). Thus, we conduct a sensitivity simulation reducing \([OH_{aq}]\) in cloud droplets and aerosols by two orders of magnitude (Table 3). We conduct another sensitivity simulation by reducing the \([OH_{aq}]\) in aerosols only by a factor of 20 (Herrmann et al., 2010) and found negligible changes (<2%) in the global sulfur burden. Gas-phase sulfur species taken up by aerosols and cloud droplets will be oxidized in the aqueous phase. \(k_{x+y}\) is the aqueous-phase reaction rate coefficient between aqueous-phase X and Y (M⁻¹ s⁻¹), as summarized in Table 1. \(f_r (=\coth(r/l) - l/r)\) is the reacto-diffusive correction term, which compares the radius of aerosols or cloud droplets (r) with the reacto-diffusive length scale of the reaction \((l=\sqrt{D_{lxk_{xy}}[Y]})\) (Ammann et al., 2013). The mass accommodation coefficients (\(\alpha_{xy}\)) of DMS, DMSO, MSIA and MSA are given in Table 2.

Twelve model simulations were performed in order to investigate the importance of individual reactions for MBL sulfur chemistry and are described in Table 3. These simulations were designed to explore the role of DMS chemistry versus emissions for the DMS budget, and the importance of gas-phase reactive halogen chemistry and multiphase chemistry for all sulfur-containing compounds.

3 Results and Discussion

3.1 DMS budget

Figure 1 shows the global sulfur budgets for the model run including DMSO and MSIA intermediates and all 12 new reactions (\(R_{all}\)). The DMS emission flux from the ocean to the atmosphere (\(F_{DMS}\)) is 22 Tg S yr⁻¹, which is similar to that (24 Tg S yr⁻¹) reported in Hezel et al. (2011) and within the range (11-28 Tg S yr⁻¹) reported in the literature (Spracklen et al., 2005 and reference therein). \(F_{DMS}\) is 18 Tg S yr⁻¹ when using sea surface DMS concentrations from Kettle et al. (1999). The tropospheric burden of DMS is 74 Gg S, which is within the range of 20-150 Gg S reported in Faloona et al. (2009), and is 40% lower than the standard model run (\(R_{std}\)). The lifetime of DMS is 1.2 days in \(R_{all}\), compared to 2.1 days in \(R_{std}\). Surface
DMS mixing ratios are highest over Southern Ocean (≈400 ppt) (Fig. 2a) where DMS emissions are highest during summer (Lana et al., 2011) and DMS chemical destruction is small due to low OH abundance at high latitudes (DMS lifetime of 2-5 days over Southern Ocean). DMS mainly resides in the lower troposphere, with 86% of the tropospheric burden below 2 km. DMS is mainly oxidized in the gas phase by OH (37% via abstraction channel and 29% via addition channel), followed by NO$_3$ (16%). The global contribution of OH and NO$_3$ to DMS oxidation from previous studies is 50%-70% and 20%-30%, respectively, depending mainly on which other oxidants are included (Boucher et al., 2003; Berglen et al., 2004; Breider et al., 2010; Khan et al., 2016). The oxidation of DMS by OH occurs mainly during daytime while oxidation by NO$_3$ occurs mainly at night due to low nighttime OH production and rapid photolysis of NO$_3$ during daytime. Fig. 3 shows the global, annual mean distribution of the fractional importance of different DMS oxidation pathways. The relative importance of OH for the oxidation of DMS ($f_{[\text{DMS-OH}_\text{g}]}$) is typically greater than 50% over the oceans. The relative importance of NO$_3$ for the oxidation of DMS ($f_{[\text{DMS-NO}_3]}$) is typically low over the remote oceans (<10%), but high over the continents and coastal regions (>40%) where NO$_x$ emissions are highest. It should be noted, however, that DMS abundance is low over continents (Fig. 2a).

The relative importance of BrO oxidation of DMS ($f_{[\text{DMS-BrO}]}$) is 12% (global, annual mean), which is within the range suggested by Khan et al. (2016) (8%) and Breider et al. (2010) (16%). $f_{[\text{DMS-BrO}]}$ is highest (>30%) over the Southern Ocean and Antarctica, especially during winter, due to high BrO (up to 0.5 ppt) and low OH and NO$_3$ abundance. The main uncertainty of the importance of BrO for DMS oxidation resides in the tropospheric BrO abundance, which is rarely measured and is still not well quantified in global models (von Glasow et al., 2004; Simpson et al., 2015). The BrO in our model generally underestimates satellite observations, especially over mid- and high-latitudes (Chen et al., 2017), suggesting that our modeled estimate of the importance of DMS+BrO may be biased low. In order to quantify the contribution of BrO to DMS oxidation, we need to better quantify the BrO abundance through both observation and model development.

The fractional contribution of Cl to DMS oxidation ($f_{[\text{DMS-Cl}]}$) is 4% globally and generally less than 10% everywhere. $f_{[\text{DMS-Cl}]}$ increases to 28% in a sensitivity run increasing Cl mixing ratios by an order of magnitude. In comparison, von Glasow and Crutzen (2004) calculate that about 8% of DMS is oxidized by Cl in the cloud-free MBL during summer in a 1-D model. Hoffmann et al. (2016) estimated that about 18% of DMS is oxidized by Cl under typical MBL conditions in a box model. Both studies used the same $k_{\text{DMS-Cl}}$ as in our study, but Cl concentrations were not reported in either study. The annual-mean tropospheric Cl concentration used in this study is $1.1\times10^3$ atoms cm$^{-3}$, which is similar to that ($1.3\times10^3$ atoms cm$^{-3}$) in another recent 3-D modeling study (Hossaini et al., 2016). As suggested by Sherwen et al. (2016), Cl concentration could be underestimated in our study, due at least in part to the missing chlorine source from sea salt aerosols and anthropogenic chloride emissions. The largest uncertainty for the importance of Cl for the oxidation of DMS resides in our limited knowledge of Cl concentrations in the troposphere. Due to the difficulty of directly observing Cl, estimates of its abundance are usually derived from non-methane hydrocarbons (NMHC) observations. Using this method, Cl concentration
is estimated to be on the order of $10^4$ atoms cm$^{-3}$ (0.2-80×$10^4$ atoms cm$^{-3}$) in the MBL and Antarctic boundary layer (Jobson et al., 1994; Singh et al., 1996; Wingenter et al., 1996; 2005; Boundries and Bottenheim, 2000; Arsene et al., 2007; Read et al., 2007), with highest concentrations over Tropical Pacific during autumn (Singh et al., 1996). However, a recent study suggests that this is an overestimate of tropospheric Cl abundance (Gromov et al., 2018). Another uncertainty in the atmospheric implications of DMS+Cl originates from its sulfur products, which are most likely CH$_3$SCH$_2$ via the abstraction channel and (CH$_3$)$_2$S-Cl adduct via the addition channel (Barnes et al., 2006). The CH$_3$SCH$_2$ will likely be further oxidized into SO$_2$, similar to the abstraction channel of DMS+OH, while the (CH$_3$)$_2$S-Cl adduct could react with O$_2$ to produce DMSO. Atkinson et al. (2004) estimated that 50% of DMS+Cl occurs through the abstraction channel and 50% occurs through the addition channel at 298 K and 1 bar pressure, but the abstraction channel could account for more than 95% at low pressure (Butkovskaya et al., 1995). Since DMS+Cl is neither a big sink of DMS nor a big source of DMSO in our study, the yield uncertainties have little influence on the modeled sulfur budgets. However, modeled estimates of DMS+Cl could be too low due to a potential low bias in modeled Cl abundance.

In this study, DMS+O$_3$ (aq) is the only multiphase DMS oxidation pathway, which accounts for only 2% of DMS oxidation globally, reaching up to 5% over high-latitude oceans (e.g. Southern Ocean) (Fig. 3). In comparison, in a general circulation model Boucher et al. (2003) calculated that DMS+O$_3$ (aq) accounts for about 6% of DMS oxidation globally and 15-30% over oceans north of 60°N and in the 50-75°S latitude band. The difference between the results from Boucher et al. (2003) and this study could be due to the differences in oxidant abundances such as O$_3$, OH, BrO and Cl. Using a 1-D model, von Glasow and Crutzen (2004) calculated that DMS+O$_3$ (aq) accounts for 4-18% of DMS oxidation in the cloudy MBL, which is similar to 5-10% over the Southern Ocean MBL in our model results. The fraction of DMS oxidized by O$_3$ in the gas phase ($f_{\text{DMS+O}_3}$=0.5%) is smaller than $f_{\text{DMS+O}_3}$, consistent with Boucher et al. (2003). Thus, both the gas-phase and multiphase oxidation of DMS by O$_3$ represent minor DMS sinks in the global troposphere.

### 3.2 DMSO budget

The modeled global tropospheric DMSO burden is 8 Gg S, which is 3-4 times larger than in Pham et al. (1995) and Cosme et al. (2002) which did not include production of DMSO from DMS+BrO. Modeled surface DMSO mixing ratio is highest over the Southern Ocean (≈30 ppt) (Fig. 2b) where the DMS mixing ratio is high and BrO is abundant. The high DMSO mixing ratio over Antarctica in our model is due to weak DMSO oxidation by OH in both the gas and aqueous phase. DMSO mainly resides in the lower troposphere, with 67% of the tropospheric burden below 2 km.

Globally, we simulate DMS+BrO is the biggest source of DMSO (44%), followed by the addition channel of DMS+OH (41%), DMS+Cl (9%) and DMS+O$_3$ (6%). The fraction of DMSO produced from DMS+BrO is highest over the high-latitude ocean where OH abundance is low and subtropical oceans where BrO abundance is high, while DMS+Cl and
DMS+O$_3$(aq) can account for up to 20% of the DMSO production in coastal regions and mid-latitude MBL, respectively (Fig. 4).

DMSO is removed from the atmosphere via gas-phase oxidation by OH (33%), multiphase oxidation by OH in cloud droplets (37%) and aerosols (3%), and dry (16%) and wet deposition (11%). The lifetime of DMSO is about 11 hours. Multiphase oxidation mainly occurs over regions where clouds are frequent and OH concentrations are high, e.g. low- to mid-latitude oceans (Fig. 5). Cosme et al. (2002) calculated 85% of DMSO is lost via gas-phase oxidation by OH and the rest 15% via deposition in a global 3-D model, but they did not include heterogeneous loss of DMSO. It has been suggested that heterogeneous loss is the predominant loss process of DMSO in the cloudy MBL in box or 1-D models (Zhu et al., 2006; Hoffmann et al., 2016).

### 3.3 MSIA budget

MSIA is an important intermediate during the oxidation of DMSO to produce MSA, and has a simulated tropospheric burden of 2 Gg S. The surface MSIA mixing ratio is higher over Antarctica than over the Southern Ocean (Fig. 2c) due to larger removal of MSIA by O$_3$(aq) and OH(aq) in clouds over Southern Ocean. 31% of MSIA resides below 2 km altitude. The smaller fraction of MSIA below 2 km compared to DMSO is due to faster oxidation of MSIA by OH(aq) and O$_3$(aq) in clouds and aerosols (Table 1).

In $R_{\text{al}}$, MSIA is produced from both gas-phase (44%) and multiphase (56%) oxidation of DMSO by OH in cloud droplets and aerosols (Fig. 1). Multiphase production of MSIA mainly occurs over low- to mid-latitude oceans where the OH abundance is high and clouds are frequent (Fig. 6).

MSIA is mainly removed in the troposphere via both gas-phase and multiphase oxidation by OH, with a lifetime of 4 hours. Dry (2%) and wet (2%) deposition of MSIA accounts for 4% of MSIA removal in the troposphere. Globally, multiphase oxidation in cloud droplets and aerosols by OH(aq) (53%) and O$_3$(aq) (24%) is the biggest sink of MSIA, followed by gas-phase oxidation by OH (19%). Multiphase oxidation by OH(aq) is more important over low-latitude oceans where OH abundance is high, reaching up to 70% (Fig. 7). Multiphase oxidation by O$_3$(aq) is more important over high-latitude ocean where OH abundance is low (Fig. 7). Over continents and Antarctica, MSIA is mostly oxidized by OH in the gas phase.

In comparison, Hoffmann et al. (2016) also found that multiphase oxidation is the main sink of MSIA in the MBL in their box model, with O$_3$(aq), OH(aq) and Cl$^-$ accounting for 42%, 19% and 10% of MSIA removal, respectively. The rest of MSIA (29%) was removed by CH$_3$SO$_2$(O$_2$) that was produced as an intermediate during the electron transfer reaction of MSIA with OH(aq) and Cl$^-$ in cloud droplets and aerosols. By considering cloud droplets only, Hoffmann (2016) suggested OH(aq) is more important (1.5 times faster) than O$_3$(aq) for MSIA oxidation, which is consistent with our results. Since information such
as OH\(_{\text{aq}}\) concentrations in aerosols, aerosol water content and cloud liquid water content were not provided in Hoffmann et al. (2016), we do not further compare our MSIA oxidation by O\(_3\)\(_{\text{aq}}\) and OH\(_{\text{aq}}\) to Hoffmann et al. (2016). Hoffmann et al. (2016) is the only modeling study that considered multiphase reaction of MSIA with both O\(_3\)\(_{\text{aq}}\) and CH\(_3\)SO\(_2\)(O\(_2\))\(^•\). Zhu et al. (2006) found Cl\(_2\) to be more important than OH\(_{\text{aq}}\) for MSIA oxidation when assuming Cl\(_2\) concentration 6 times higher than that used in Hoffmann et al. (2016). Due to our limited knowledge about CH\(_3\)SO\(_2\)(O\(_2\))\(^•\) and Cl\(_2\) production and concentrations in cloud droplets and aerosols, we do not include the multiphase reactions of MSIA with CH\(_3\)SO\(_2\)(O\(_2\))\(^•\) and Cl\(_2\) in this study.

Gas-phase oxidation of MSIA by OH (18%) has important implications for the MSA budget as MSIA+OH\(_{\text{g}}\) has a low yield for MSA formation (SO\(_2\) yield of 0.9) (Kukui et al., 2003). Gas-phase oxidation of MSIA by O\(_3\) is negligible globally (1%). In contrast, Lucas and Prinn (2002) suggest MSIA+O\(_3\)\(_{\text{g}}\) could compete with MSIA+OH\(_{\text{g}}\) for MSIA removal, but the rate coefficient of MSIA+OH\(_{\text{g}}\) is very small in their 1-D model (about two orders of magnitude smaller than ours).

### 3.4 MSA budget

In \(R_{\text{g}}\), the global MSA burden is 20 Gg S, which is within the range of 13-40 Gg S reported in previous modeling studies (Pham et al., 1995; Chin et al., 1996; 2000; Cosme et al., 2002; Hezel et al., 2011). The largest MSA burden is from Hezel et al. (2011), in which DMSO was not included, while the smallest MSA burden is from Cosme et al. (2002), in which DMSO was included. Neglecting the DMSO intermediate in the model could result in an overestimate of MSA production as DMSO is also removed via dry and wet deposition. Note that none of these previous studies consider DMS+BrO and MSA+OH\(_{\text{aq}}\) in their models. Surface MSA mixing ratio is highest over the Southern Ocean, but the peak shifts north compared to DMS, DMSO and MSIA (Fig. 2d). This is due to larger production of MSA by O\(_3\)\(_{\text{aq}}\) and OH\(_{\text{aq}}\) in clouds (due to higher O\(_3\)\(_{\text{aq}}\) and OH\(_{\text{aq}}\) concentrations at lower latitudes) over northern part of Southern Ocean compared to the southern part of Southern Ocean. 57% of MSA resides below 2 km altitude, suggesting that MSA is mainly produced in the MBL.

As shown in Fig. 1, MSA is mainly produced from multiphase oxidation of MSIA by OH (66%) and O\(_3\) (30%). MSIA+OH\(_{\text{aq}}\) dominates over low-latitude oceans while MSIA+O\(_3\)\(_{\text{aq}}\) dominates over high-latitude oceans (Fig. 8). MSA formation occurs mainly in clouds (74%), where the liquid water content is high. Our result is consistent with the general concept that gas-phase MSA formation is small compared to multiphase formation (Barnes et al., 2006; von Glasow and Crutzen, 2004; Zhu et al., 2006; Hoffmann et al., 2016). MSIA+OH\(_{\text{aq}}\) accounts for 12% of MSA removal in \(R_{\text{g}}\), and the rest of MSA is removed via dry (12%) and wet (76%) deposition. The lifetime of MSA is 2.2 days globally, which is relatively short compared to 5-7 days in previous studies (Pham et al., 1995; Chin et al., 1996; 2000; Cosme et al., 2002; Hezel et al., 2011) without MSIA+OH\(_{\text{aq}}\). Information about the global distribution of MSA concentrations and deposition from these previous modelling studies are needed for comparison. The MSA lifetime is lowest (about 1 day) over tropical oceans where clouds are frequent and OH abundance is high. It increases to 2-6 days over Southern Ocean and subtropical oceans. To the
best of our knowledge, this is the first study to report global MSA lifetime from a global 3-D model that considers MSA+OH\textsubscript{(aq)}. In the sensitivity run without MSA+OH\textsubscript{(aq)} \((R_{\text{noMSA}})\) the lifetime of MSA increases to 2.5 days. In the sensitivity run with a higher rate constant of MSA+OH\textsubscript{(aq)} \((R_{\text{moreMSA}})\), the lifetime of MSA decreases to 1.7 days.

3.5 Uncertainties in rate constants

The uncertainties in the rate constants for the reactions added in the model are shown in Table 4. The uncertainty factor \(f_{298}\) used for gas-phase reaction rate constants at 298 K indicates that the reaction rate constant could be greater than or less than the recommended value by a factor of \(f_{298}\). For all gas-phase reactions added in this study, \(f_{298}\) varies from 1.2 to 1.5. \(f_{298}\) is 1.3 for the DMS+BrO reaction, which adds to the uncertainty in oxidation of DMS by BrO. The global annual mean tropospheric BrO burden varies from 3.6 to 5.7 Gg Br in three recent global modeling studies (Parrella et al., 2012; Schmidt et al., 2016; Chen et al., 2017), but all three of these modeling studies underestimate satellite observations of the tropospheric BrO column from Theys et al. (2010) (e.g. by 44% over Southern Ocean in Chen et al. (2017)). Thus, further investigations are needed in both laboratory determination of the reaction rate constant for DMS+BrO and field observations of the BrO abundance in the troposphere. In addition, we need to better constrain the rate constants for the other two gas-phase reactions DMS+OH (addition pathway) and DMSO+OH \((f_{298}=1.2)\). Very few studies have determined the rate constants for the multiphase reactions added in the model (Table 4). The biggest uncertainty resides in the oxidation of MSA by OH\textsubscript{(aq)} and the oxidation of MSIA by O\textsubscript{3(aq)}. The rate constant for the MS\textsuperscript{−}\textsubscript{}+OH\textsubscript{(aq)} reactions differs by a factor of 4.7 in Milne et al. (1989) and Zhu et al. (2003), which results in about 30% difference in global annual mean tropospheric MSA burden. Only one box modeling study (Hoffmann et al., 2016) considered the oxidation of MSIA by O\textsubscript{3(aq)} in clouds and aerosols, using the rate constant measured in Herrmann and Zellner (1997) for the MSIA\textsubscript{(aq)}+O\textsubscript{3(aq)} reaction and Flyunt et al. (2001) for the MSI\textsuperscript{−}\textsubscript{}+O\textsubscript{3(aq)} reaction. As MSIA+O\textsubscript{3(aq)} and MSA+OH\textsubscript{(aq)} are important for MSA production and removal, more laboratory studies are needed to constrain the rate constants for these two reactions.

3.6 Model-observation comparison

3.6.1 Surface DMS mixing ratio

Monthly mean DMS mixing ratios measured at 4 stations around the globe are used to assess modeled DMS: Crete Island (CI; 35°24’N, 25°60’E) (Kouvarakis and Mihalopoulos, 2002), Amsterdam Island (AI; 37°50’S, 77°30’E) (Castebrunet et al., 2009), Cape Grim (CG; 40°41’S, 144°41’E) (Ayer et al., 1995), and Dumont D’Urville (DU; 66°40’S, 140°1’E) (Castebrunet et al., 2009). The DMS data covers the 1997-1999 period for CI, the 1987-2006 period for AI, the 1989-1992 period for CG, and the 1998-2006 period for DU.

Figure 9 shows the comparison between modeled and observed monthly-mean DMS mixing ratio at CI, AI, CG and DU stations. Comparing \(R_{\text{all}}\) with \(R_{\text{obs}}\), we can see that in general the modeled DMS mixing ratios match better with observations.
for the three stations in the Southern Hemisphere with the updated DMS chemistry, especially during Southern Hemisphere winter. Between June and August, the modeled DMS mixing ratios calculated from \( R_{\text{std}} \) overestimate observations by a factor of 6, 4 and 27 for AI, CG and DU, respectively. In comparison, during the same period, the modeled DMS mixing ratios calculated from \( R_{\text{all}} \) overestimate observations by a factor of 3 for AI, 50% for CG and a factor of 4 for DU, respectively.

The smaller discrepancy between modeled and observed DMS mixing ratio in \( R_{\text{all}} \) is largely due to DMS+BrO, as indicated by comparing \( R_{\text{all}} \) with a model run that includes all reactions except DMS+BrO (\( R_{\text{noDMS+BrO}} \)). It should be noted that BrO is underestimated in our model compared to satellite observations (underestimated by 44% in terms of annual mean tropospheric BrO column between 30°S and 60°S) (Chen et al., 2017), which might partly explain the remaining overestimate of DMS mixing ratios from \( R_{\text{all}} \) compared to observations.

In addition to DMS chemistry shown above, surface seawater DMS concentrations also affect the modeled DMS mixing ratio. The surface seawater DMS concentration was obtained from Kettle et al. (1999) in \( R_{\text{Kettle}} \), instead of from Lana et al. (2011) in \( R_{\text{all}} \). The global DMS emission flux from \( R_{\text{Kettle}} \) is 15% lower than that from \( R_{\text{all}} \). Overall, at CI, CG and DU, the modeled DMS mixing ratios from \( R_{\text{Kettle}} \) are similar to those from \( R_{\text{all}} \) during most of the year. Much lower DMS mixing ratios were calculated from \( R_{\text{Kettle}} \) at CI in June, at CG in January and at DU in December and January. At AI, however, the modeled DMS mixing ratios from \( R_{\text{Kettle}} \) are lower than those from \( R_{\text{all}} \) in general, which agree better with observations except in December and January. In this study, we focus on the chemistry aspects of the sulfur cycle and thus will not present further discussion on the impact of the DMS sea water climatology on atmospheric DMS abundance.

3.6.2 Surface MSA/nssSO\(_4\)\(^{2-}\) ratio

Figure 10 shows the comparison between modeled and observed annual-mean MSA/nssSO\(_4\)\(^{2-}\) ratio at 23 stations around the globe (Table 5). Data for all stations was obtained from Gondwe et al. (2004), except for CI from Kouvarakis and Mihalopoulos (2002) and AI, PA, KO and DC from Casterbrunet et al. (2009). The global distribution of annual-mean MSA/nssSO\(_4\)\(^{2-}\) obtained from \( R_{\text{all}} \), overplotted with observations for these 23 stations are shown in Fig. 11. In addition to the 4 model runs described in Sect. 3.6.1 (\( R_{\text{all}} \), \( R_{\text{std}} \), \( R_{\text{Kettle}} \) and \( R_{\text{noDMS+BrO}} \)), 5 additional model runs were performed by removing (\( R_{\text{noMSA+OH(aq)}} \)) or increasing (\( R_{\text{moreMSA+OH(aq)}} \)) aqueous-phase oxidation of MSA by OH, removing all multiphase chemistry involving DMS, DMSO, MSIA and MSA oxidation (\( R_{\text{noMUL}} \)), decreasing OH\(_{\text{(aq)}} \) concentrations in cloud droplets and aerosols by two orders of magnitude (\( R_{\text{lowOH(aq)}} \)), and using a unity yield of DMSO for the addition channel of DMS oxidation by OH (\( R_{\text{add}} \)) (see Table 3).

Figures 10 and 11 show that modeled MSA/nssSO\(_4\)\(^{2-}\) ratios calculated from \( R_{\text{all}} \) can generally reproduce the spatial variability of MSA/nssSO\(_4\)\(^{2-}\) observations, especially the latitudinal trend of increasing ratios towards the south where anthropogenic sources of nssSO\(_4\)\(^{2-}\) are less important. However, modeled MSA/nssSO\(_4\)\(^{2-}\) ratios overestimate observations by a factor of 2 on
average. The normalized mean bias $N_{MB} = \frac{\sum_{i=1}^{22} (M_i-O_i)}{\sum_{i=1}^{22} O_i} \times 100\%$, where $M_i$ and $O_i$ are modeled value and observed value, respectively) for the comparison between modeled and observed MSA/nssSO$_4^{2-}$ ratios in $R_{all}$ is 128%. The large modeled MSA/nssSO$_4^{2-}$ over low-latitude oceans ($13^\circ$N-$37^\circ$S) is due to lower anthropogenic sources of nssSO$_4^{2-}$ and to large multiphase MSA production as a result of high cloud liquid water content and oxidant abundance (OH and O$_3$). Over Antarctica (Stations PA, DU, MA, NE, HB, KO and DC) where aqueous-phase oxidation of MSA is small, modeled MSA/nssSO$_4^{2-}$ ratios are about twice observations on average. In $R_{noDMS+BrO}$, the modeled MSA/nssSO$_4^{2-}$ ratios decrease compared to $R_{all}$, which is most evident over stations where DMS + BrO is a large source of DMSO and MSA (e.g. Southern Hemisphere ocean and Antarctica) (Fig. 4). Compared to $R_{all}$, the modeled MSA/nssSO$_4^{2-}$ ratios from $R_{noDMS+BrO}$ match better with observations, with $N_{MB}=40\%$. However, as shown in Sect. 3.6.1, DMS observations were largely overestimated in $R_{noDMS+BrO}$ (Fig. 9). If multiphase chemistry is switched off ($R_{noMUL}$), modeled MSA/nssSO$_4^{2-}$ ratios underestimate the observations by 49% on average for all 23 stations. Thus, multiphase sulfur chemistry is important for the model simulation of MSA/nssSO$_4^{2-}$ observations. However, the OH$_{aq}$ concentrations in cloud droplets and aerosols, which range from 10$^{-14}$ M to 10$^{-12}$ M in modeling studies (Jacob, 1986; Matthijsen et al., 1995; Jacob et al., 1989; Herrmann et al., 2000) and 10$^{-16}$ M to 10$^{-14}$ M in observations (Arakaki et al., 2013; Kaur and Anastasio, 2017), is a large uncertainty in modeling multiphase sulfur chemistry. The model run reducing OH$_{aq}$ concentrations by two orders of magnitude ($R_{lowOH(aq)}$) results in 25% decrease in MSA/nssSO$_4^{2-}$, with $N_{MB}=84\%$. Due to the small chemical loss of MSA in our model, MSA/nssSO$_4^{2-}$ in model run without MSA + OH$_{aq}$ ($R_{noMSA+OH(aq)}$) is similar to that in $R_{all}$. The model run with a larger reaction rate coefficient of MSA + OH$_{aq}$ ($R_{moreMSA+OH(aq)}$) results in a decrease in modeled MSA/nssSO$_4^{2-}$ (24% on average) compared to $R_{all}$. This reveals the importance of MSA + OH$_{aq}$ for MSA/nssSO$_4^{2-}$ observations, as suggested by von Glasow and Crutzen (2004), Zhu et al. (2006) and Mungall et al. (2018). The model run with a unity yield of DMSO from the addition channel of DMS oxidation by OH ($R_{std}$) largely overestimates MSA/nssSO$_4^{2-}$ observations, with $N_{MB}=281\%$.

Modeled MSA/nssSO$_4^{2-}$ from $R_{std}$ without multiphase chemistry and DMS+BrO can generally reproduce the meridional trend of observations, with $N_{MB}=51\%$. However, $R_{std}$ overestimates DMS observations (Fig. 9), suggesting that $R_{std}$ produces comparable MSA/nssSO$_4^{2-}$ values for the wrong reasons.

### 4 Implications

Once emitted into the atmosphere through air-sea exchange, biogenic DMS undergoes complicated chemical processes to form SO$_2$ and MSA in the troposphere. SO$_2$ can then be oxidized to form sulfate aerosol. Sulfate and MSA produced in the gas phase can nucleate new particles under favorable conditions (Kulmala et al., 2000; Chen et al., 2015), while MSA and sulfate produced in the aqueous phase leads to the growth of existing particles (Kreidenweis and Seinfeld, 1988; Kaufman and Tanre, 1994). Global models such as General Circulation Models (GCMs) and Chemical Transport Models (CTMs)
generally consider very simplified gas-phase DMS chemistry, which could result in large biases in SO$_2$ and MSA prediction. Quantifying the yields of SO$_2$ and MSA from DMS oxidation is necessary to evaluate the climate impacts of DMS from the ocean ecosystem. Compared to the standard GEOS-Chem model run, the updated sulfur scheme in this study decreases the conversion yield of DMS to SO$_2$ ($Y_{\text{DMS} \rightarrow \text{SO}_2}$) from 91% to 75% and increases the conversion yield of DMS to MSA ($Y_{\text{DMS} \rightarrow \text{MSA}}$) from 9% to 15%. The remaining 10% of DMS is lost via wet and dry deposition of DMSO and MSIA. In order to gain insight into the impacts of our updated sulfur scheme on global SO$_2$, MSA and sulfate burden, we conducted two sensitivity studies by allowing DMS as the only sulfur source for both the standard model run $R_{\text{std}}$ ($R_{\text{std onlyDMS}}$) and full model run $R_{\text{all}}$ ($R_{\text{all onlyDMS}}$). Compared to $R_{\text{std onlyDMS}}$, the global DMS, SO$_2$, MSA and sulfate burden in $R_{\text{all onlyDMS}}$ decreases by 40%, 17%, 8% and 12%, respectively. The decrease in DMS is mainly due to DMS oxidation by BrO with the updated sulfur scheme. The decrease in SO$_2$ is due to a lower yield of SO$_2$ from DMS ($Y_{\text{DMS} \rightarrow \text{SO}_2}$), but is partly compensated by the increase in the DMS oxidation rate. MSA decreases despite an increase in the yield of MSA from DMS ($Y_{\text{DMS} \rightarrow \text{MSA}}$) due to a shorter lifetime in $R_{\text{all onlyDMS}}$ (2.2 days in $R_{\text{all onlyDMS}}$ versus 4.1 days in $R_{\text{std onlyDMS}}$) that is caused by the aqueous-phase sink of MSA via MSA + OH$_{\text{aq}}$ and faster deposition of MSA produced in the MBL. The decrease in sulfate is caused by the decrease in SO$_2$ but is partly compensated by the inclusion of MSA + OH$_{\text{aq}}$ as a sulfate source, which accounts for 4% of global sulfate production. The decrease in sulfate will be smaller if more MSA is oxidized into sulfate instead of being lost via deposition. In sum, climate models with a simplified DMS oxidation scheme (gas-phase oxidation by OH and NO$_3$ only) may overestimate SO$_2$, MSA and sulfate abundances in the pre-industrial environment, potentially leading to underestimates in sulfur aerosol radiative forcing calculations in climate models. Quantifying the impacts of our updated sulfur oxidation scheme on new particle formation is out of the scope of this study and should be addressed in the future.

MSA in Antarctic ice cores has been related to spring sea ice extent (Curran et al., 2003; Abram et al., 2010) as DMS is emitted in regions of sea ice melt. Our results show that, in addition to DMS emission, tropospheric sulfur chemistry is critical for MSA abundance in the troposphere, as also suggested by observations in inland East Antarctica (Legrand et al., 2017). Compared to the full model run $R_{\text{all}}$, sensitivity studies without DMS+BrO reaction ($R_{\text{noDMS+BrO}}$) and without multiphase oxidation of DMS, DMSO, MSIA and MSA ($R_{\text{noMUL}}$) reduce the global MSA burden by 15% and 75%, respectively. This indicates that reactive halogen and multiphase chemistry are important for the MSA budget in the troposphere, which should be considered when interpreting MSA abundance in ice cores, especially over time periods where the abundance of atmospheric oxidants may have changed.

5 Conclusions

In this study, we investigate the impacts of reactive halogen and multiphase chemistry on tropospheric DMS chemistry by adding 2 new chemical tracers (DMSO and MSIA) and 12 new reactions for both the gas-phase and multiphase oxidation of DMS, DMSO, MSIA and MSA into a global chemical transport model, GEOS-Chem. With the updated DMS chemistry, the
DMS burden decreases by 40% globally, mostly due to oxidation of DMS by BrO. BrO oxidation accounts for 12% of DMS oxidation globally, which could be underestimated due to underestimates in BrO abundance in the model, but is within the range of 8-16% reported in previous studies. Cl is not important for DMS oxidation due to small Cl abundance, but this reaction should be revisited if modeled Cl budgets are substantially revised in the future. Both gas-phase and multiphase oxidation of DMS by O$_3$ are not important for the global DMS budget and can be neglected in global models.

Dry and wet deposition accounts for 28% of DMSO removal and 4% of MSIA removal globally. The significant role of deposition as a sink for DMSO suggests that DMSO should be included in sulfur chemistry mechanisms, as exclusion of DMSO as an intermediate may result in an overestimate of MSA production from the oxidation of DMS. MSIA is an important intermediate between DMSO and MSA. MSA is mostly (97% globally) produced through aqueous phase oxidation of MSIA by O$_3$(aq) and OH$_2$(aq) in cloud droplets and aerosols. Dry and wet deposition accounts for 88% of MSA removal globally, multiphase oxidation by OH in cloud droplets and aerosols accounts for the rest. We note that the relative importance of deposition versus oxidation as a sink for MSA will depend on the OH$_2$(aq) concentration in cloud droplets and aerosols, which is highly uncertain.

Modeled DMS mixing ratios agree better (mean square error between model and observation is 44% smaller) with observations with the inclusion of DMS+BrO. The overestimate of MSA/nssSO$_4^{2-}$ observations using our updated sulfur oxidation scheme suggests MSA oxidation is underestimated in the model. The uncertainties of reactive halogen abundances such as BrO and Cl and the aqueous phase oxidant concentrations such as OH$_2$(aq) have limited our ability to model DMS oxidation and MSA formation in the troposphere. Future studies should prioritize the measurements of reactive halogen abundances and OH$_2$(aq) concentrations in cloud droplets, especially in the marine boundary layer.

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Figure 1: Global sulfur budgets for $R_{all}$. Inventories (inside the boxes) are in units of Gg S. Solid arrows represent gas-phase reactions while dashed arrows represent aqueous-phase reactions. Production and loss rates above arrows are in the unit Gg S yr$^{-1}$. Read 1.9(3) as $1.9 \times 10^3$ Gg S yr$^{-1}$. 
Figure 2: Horizontal distribution of annual-mean surface mixing ratios (ppt) and vertical distribution of mixing ratios for (a) DMS, (b) DMSO, (c) MSIA, (d) MSA, (e) SO\textsubscript{2} and (f) sulfate. The dashed line indicates the climatological tropopause height.
Figure 3: Global tropospheric distribution of annual-mean percentage of DMS oxidized in the troposphere via (a) DMS+OH (\(f_{\text{DMS+OH}}\)), (b) DMS+NO \(_3\) (\(f_{\text{DMS+NO}_3}\)), (c) DMS+BrO (\(f_{\text{DMS+BrO}}\)), (d) DMS+Cl (\(f_{\text{DMS+Cl}}\)), (e) DMS+O \(_3\) (\(f_{\text{DMS+O}_3}\)) and (f) DMS+O \(_3\) (\(f_{\text{DMS+O}_3}\)).

Figure 4: Global tropospheric distribution of annual-mean percentage of DMSO produced via (a) DMS+OH (\(f_{\text{DMS+OH}}\)), (b) DMS+BrO (\(f_{\text{DMS+BrO}}\)), (c) DMS+Cl (\(f_{\text{DMS+Cl}}\)) and (d) DMS+O \(_3\) (\(f_{\text{DMS+O}_3}\)).
Figure 5: Global tropospheric distribution of annual-mean percentage of DMSO oxidized via (a) DMSO+OH$_{(g)}$ ($f_{\text{DMSO+OH}_ {(g)}}$) and (b) DMSO+OH$_{(aq)}$ ($f_{\text{DMSO+OH}_ {(aq)}}$).

Figure 6: Global tropospheric distribution of annual-mean percentage of MSIA produced in the troposphere via (a) DMSO+OH$_{(g)}$ ($f_{\text{DMSO+OH}_ {(g)}}$) and (b) DMSO+OH$_{(aq)}$ ($f_{\text{DMSO+OH}_ {(aq)}}$).

Figure 7: Global tropospheric distribution of annual-mean percentage of MSIA oxidized in the troposphere via (a) MSIA+OH$_{(aq)}$ ($f_{\text{MSIA+OH}_ {(aq)}}$), (b) MSIA+O$_3$$_{(aq)}$ ($f_{\text{MSIA+O}_3{(aq)}}$), (c) MSIA+OH$_{(g)}$ ($f_{\text{MSIA+OH}_ {(g)}}$) and (d) MSIA+O$_3$$_{(g)}$ ($f_{\text{MSIA+O}_3{(g)}}$).
Figure 8: Global tropospheric distribution of annual-mean percentage of MSA produced in the troposphere (a) MSIA+OH\(_{\text{aq}}\) \(f(p)\text{MSIA+OH(aq)}\), (b) MSIA+O\(_3\)\(_{\text{aq}}\) \(f(p)\text{MSIA+O3(aq)}\), (c) MSIA+OH\(_{\text{g}}\) \(f(p)\text{MSIA+OH(g)}\) and (d) MSIA+O\(_3\)\(_{\text{g}}\) \(f(p)\text{MSIA+O3(g)}\).

Figure 9: Comparison between modeled and observed monthly mean surface DMS mixing ratios at (a) Crete Island (CI), (b) Amsterdam Island (AI), (c) Cape Grim (CG), and (d) Dumont D’Urville (DU) stations.
Figure 10: Comparison between modeled (nine model runs described in Table 3) and observed (obs, black triangle) annual mean surface MSA/nssSO$_{4}^{2-}$ ratios at 23 stations around the globe. The normalized mean bias $N_{MB} = \frac{\sum_{i=1}^{N_{MD}} (M_{i} - O_{i})}{\sum_{i=1}^{N_{MD}} O_{i}} \times 100\%$, where $M_{i}$ and $O_{i}$ are modeled value and observed value, respectively, is shown in inset.

Figure 11: Global distribution of annual mean surface MSA/nssSO$_{4}^{2-}$ molar ratios from the full model run ($R_{all}$), overplotted with observed annual mean surface MSA/nssSO$_{4}^{2-}$ ratios from 23 stations around the globe.
Figure 12: Global tropospheric distribution of annual-mean gas-phase (a) BrO, (b) Cl, (c) OH and (d) O$_3$ concentration.
## Tables

**Table 1.** Overview of sulfur chemistry in the full model run \((R_{all})\) with DMSO and MSIA intermediates and all 12 new reactions.

<table>
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<tr>
<th>Gas-phase reactions</th>
<th>(k_{298} \text{ [cm}^3 \text{s}^{-1}])</th>
<th>(-E_a/R [K])</th>
<th>Reference</th>
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</thead>
<tbody>
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<td>(\text{DMS} + \text{OH} \rightarrow \text{SO}_2 + \text{CH}_3\text{O}_2 + \text{H}_2\text{O})</td>
<td>(4.69 \times 10^{12})</td>
<td>-280</td>
<td>Burkholder et al. (2015)</td>
</tr>
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<td>(\text{DMS} + \text{OH} \rightarrow 0.6\text{SO}_2 + 0.4\text{DMSO} + \text{CH}_3\text{O}_2^{(new)})</td>
<td>see note (^{(a)})</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(\text{DMS} + \text{NO}_3 \rightarrow \text{SO}_2 + \text{HNO}_3 + \text{CH}_3\text{O}_2 + \text{CH}_2\text{O})</td>
<td>(1.13 \times 10^{12})</td>
<td>530</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>(\text{DMS} + \text{BrO} \rightarrow \text{DMSO} + \text{Br}^{(new)})</td>
<td>(3.39 \times 10^{13})</td>
<td>950</td>
<td>Burkholder et al. (2015)</td>
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<tr>
<td>(\text{DMS} + \text{O}_3 \rightarrow \text{SO}_2^{(new)})</td>
<td>(1.00 \times 10^{19})</td>
<td>0</td>
<td>Burkholder et al. (2015); Du et al. (2007)</td>
</tr>
<tr>
<td>(\text{DMS} + \text{Cl} \rightarrow 0.5\text{SO}_2 + 0.5\text{DMSO} + 0.5\text{HCl} + 0.5\text{ClO}^{(new)})</td>
<td>(3.40 \times 10^{10})</td>
<td>0</td>
<td>Burkholder et al. (2015); Barns et al. (2006); IUPAC (^{(e)})</td>
</tr>
<tr>
<td>(\text{DMSO} + \text{OH} \rightarrow 0.95\text{MSIA} + 0.05\text{SO}_2^{(new)})</td>
<td>(8.94 \times 10^{11})</td>
<td>800</td>
<td>Burkholder et al. (2015); von Glasow and Crutzen (2004)</td>
</tr>
<tr>
<td>(\text{MSIA} + \text{OH} \rightarrow 0.9\text{SO}_2 + 0.1\text{MSA}^{(new)})</td>
<td>(9.0 \times 10^{11})</td>
<td>0</td>
<td>Burkholder et al. (2015); Kukui et al. (2003); Hoffmann et al. (2016); Zhu et al. (2006)</td>
</tr>
<tr>
<td>(\text{MSIA} + \text{O}_3 \rightarrow \text{MSA}^{(new)})</td>
<td>(2.0 \times 10^{18})</td>
<td>0</td>
<td>Lucas and Prinn (2002); von Glasow and Crutzen (2004)</td>
</tr>
<tr>
<td>(\text{SO}_4^{2-} + \text{OH} \rightarrow \text{H}_2\text{SO}_4 + \text{HO}_2)</td>
<td>see note (^{(b)})</td>
<td></td>
<td>Burkholder et al. (2015)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Aqueous-phase reactions</th>
<th>(k_{298} \text{ [M}^{-1} \text{s}^{-1}])</th>
<th>(-E_a/R [K])</th>
<th>Reference</th>
</tr>
</thead>
<tbody>
<tr>
<td>(\text{DMS}<em>{(aq)} + \text{O}<em>3</em>{(aq)} \rightarrow \text{DMSO}</em>{(aq)} + \text{O}<em>2</em>{(aq)}^{(new)})</td>
<td>(8.61 \times 10^{8})</td>
<td>-2600</td>
<td>Gershenzon et al. (2001)</td>
</tr>
<tr>
<td>(\text{DMSO}<em>{(aq)} + \text{OH}^{(aq)}</em>{(aq)} \rightarrow \text{MSIA}^{(aq)}_{(aq)}^{(new)})</td>
<td>(6.63 \times 10^{9})</td>
<td>-1270</td>
<td>Zhu et al. (2003)</td>
</tr>
<tr>
<td>(\text{MSIA}^{(aq)} + \text{OH}^{(aq)}<em>{(aq)} \rightarrow \text{MSA}^{(aq)}</em>{(aq)}^{(new)})</td>
<td>(6.00 \times 10^{9})</td>
<td>0</td>
<td>Sehested and Holcman (1996)</td>
</tr>
<tr>
<td>(\text{MS}^{-} + \text{OH}^{(aq)}<em>{(aq)} \rightarrow \text{MSA}^{(aq)}</em>{(aq)}^{(new)})</td>
<td>(1.20 \times 10^{10})</td>
<td>0</td>
<td>Bardouki et al. (2002)</td>
</tr>
<tr>
<td>(\text{MSIA}^{(aq)} + \text{O}<em>3</em>{(aq)} \rightarrow \text{MSA}^{(aq)}_{(aq)}^{(new)})</td>
<td>(3.50 \times 10^{7})</td>
<td>0</td>
<td>Hoffmann et al. (2016)</td>
</tr>
<tr>
<td>(\text{MS}^{-} + \text{O}_3^{(aq)} \rightarrow \text{MS}^{(aq)}^{(new)})</td>
<td>(2.00 \times 10^{6})</td>
<td>0</td>
<td>Flyunt et al. (2001)</td>
</tr>
<tr>
<td>(\text{MSA}^{(aq)} + \text{OH}^{(aq)}_{(aq)} \rightarrow \text{SO}_4^{2-}^{(new)})</td>
<td>(1.50 \times 10^{7})</td>
<td>0</td>
<td>Hoffmann et al. (2016)</td>
</tr>
<tr>
<td>(\text{MS}^{-} + \text{OH}^{(aq)}_{(aq)} \rightarrow \text{SO}_4^{2-}^{(new)})</td>
<td>(1.29 \times 10^{7})</td>
<td>-2630</td>
<td>Zhu et al. (2003)</td>
</tr>
</tbody>
</table>
\[
\begin{align*}
\text{HSO}_3^- + \text{H}_2\text{O}_{(aq)} + \text{H}^+ &\rightarrow \text{SO}_4^{2-} + 2\text{H}^+ + \text{H}_2\text{O}_{(aq)} & 2.36 \times 10^{3(i)} & -4760 & \text{Jacob (1986)} \\
\text{HSO}_3^- + \text{O}_2_{(aq)} &\rightarrow \text{SO}_4^{2-} + \text{H}^+ + \text{O}_2_{(aq)} & 3.20 \times 10^5 & -4830 & \text{Jacob (1986)} \\
\text{SO}_3^{2-} + \text{O}_2_{(aq)} &\rightarrow \text{SO}_4^{2-} + \text{O}_2_{(aq)} & 1.00 \times 10^9 & -4030 & \text{Jacob (1986)} \\
\text{S}^{(IV)} + \text{O}_2_{(aq)} &\xrightarrow{\text{Mn(II)}, \text{Fe(III)}} \text{SO}_4^{2-} & \text{see note}\text{[a]} & & \text{Martin and Good (1991)} \\
\text{HSO}_3^- + \text{HOBr}_{(aq)} &\rightarrow \text{SO}_4^{2-} + 2\text{H}^+ + \text{Br}^- & 3.20 \times 10^5 & 0 & \text{Liu (2000); Chen et al. (2016; 2017)} \\
\text{SO}_3^{2-} + \text{HOBr}_{(aq)} &\rightarrow \text{SO}_4^{2-} + \text{H}^+ + \text{Br}^- & 5.00 \times 10^5 & 0 & \text{Troy and Margerum (1991)}
\end{align*}
\]

\(\text{new}\) New reaction added in the model.

\(\text{(a)}\) \(k(T, [\text{O}_2], [\text{M}]) = 8.2 \times 10^{-39} [\text{O}_2] e^{5376/T} (1 + 1.05 \times 10^{-5} (\text{[O}_2]/[\text{M}]) e^{644/T}) \text{ cm}^3 \text{ molecule}^{-1} \text{ s}^{-1}.
\]

\(\text{(b)}\) Low pressure limit: \(3.3 \times 10^{-31}(300/T)^{0.3} \text{ cm}^3 \text{ molecule}^{-2} \text{ s}^{-1}\); high pressure limit: \(1.6 \times 10^{-12} \text{ cm}^3 \text{ molecule}^{-1} \text{ s}^{-1}\).

\(\text{(c)}\) Rate constant between HSO\(_3^- + H_2O_{(aq)}\) at pH=4.5.

5 \(\text{(d)}\) The metal-catalyzed sulfate production rate is calculated from the following expression:

\[
\begin{align*}
\frac{d[\text{SO}_4^{2-}]}{dt} & = 750[\text{Mn(II)}][\text{S(IV)}] + 2600[\text{Fe(III)}][\text{S(IV)}] + 1.0 \times 10^{10}[\text{Mn(II)}][\text{Fe(III)}][\text{S(IV)}]
\end{align*}
\]

Detailed description about \([\text{Mn(II)}]\) and \([\text{Fe(III)}]\) concentrations can be found in Alexander et al. (2009).

\(\text{(e)}\) IUPAC: \(\text{http://iupac.pole-ether.fr/htdocs/datasheets/pdf/SOx13_CI_CH3SCH3.pdf}\)

10 Table 2. Henry’s law constant at 298 K \((H_{X(298)}\)) mass accommodation coefficient \((\alpha_b)\) and aqueous-phase diffusivity at 298 K \((D_{X(298K)}\)) for DMS, DMSO, MSIA and MSA, and acid dissociation constant \((pK_a)\) for MSIA and MSA at 298 K.

| \(H_{X(298)}\) \(\text{[M atm}^{-1}\) | \(-\Delta H/R\) \(\text{[K]}\) | Reference | \(pK_a\) | Reference | \(\alpha_b\) | Reference | \(D_{X(298K)}\) \(\text{[m}^2 \text{ s}^{-1}\) | Reference |
|---|---|---|---|---|---|---|---|
| DMS | 0.56 | -4480 | Campolongo et al. (1999) | / | / | 0.001 | Zhu et al. (2006) | 1.5 \times 10^{-5} | Saltzman et al. (1993) |
| DMSO | \(1 \times 10^7\) | -2580 | Campolongo et al. (1999) | / | / | 0.1 | Zhu et al. (2006) | 1.0 \times 10^{-5} | Zhu et al. (2003) |
| MSIA | \(1 \times 10^8\) | -1760 | Campolongo et al. (1999) | 2.28\((a)\) | Wudl et al. (1967) | 0.1 | Zhu et al. (2006) | 1.2 \times 10^{-5} | Same as MSA |
| MSA | \(1 \times 10^9\) | -1760 | Campolongo et al. (1999) | -1.86\((b)\) | Clarke and Woodward (1966) | 0.1 | Zhu et al. (2006) | 1.2 \times 10^{-5} | Schweitzer et al. (1998) |

\(\text{(a)}\) CH\(_3\)SO\(_2\)H \leftrightarrow CH\(_3\)SO\(_2\) + H\(^+\)

\(\text{(b)}\) CH\(_3\)SO\(_3\)H \leftrightarrow CH\(_3\)SO\(_3\) + H\(^+\)
Table 3. Overview of model runs.

<table>
<thead>
<tr>
<th>Model run</th>
<th>Specification</th>
</tr>
</thead>
<tbody>
<tr>
<td>$R_{\text{all}}$</td>
<td>Full model run including all reactions described in Table 1, including the DMSO and MSIA intermediates; sea surface water DMS concentration obtained from Lana et al. (2011)</td>
</tr>
<tr>
<td>$R_{\text{std}}$</td>
<td>Standard run which includes gas-phase oxidation of DMS by OH and NO$_3$ only, with no DMSO or MSIA intermediates</td>
</tr>
<tr>
<td>$R_{\text{Kettle}}$</td>
<td>$R_{\text{all}}$; sea surface water DMS concentration obtained from Kettle et al. (1999)</td>
</tr>
<tr>
<td>$R_{\text{noDMS+BrO}}$</td>
<td>$R_{\text{all}}$; without DMS+BrO reaction</td>
</tr>
<tr>
<td>$R_{\text{noMUL}}$</td>
<td>$R_{\text{all}}$; without multiphase oxidation of DMS, DMSO, MSIA and MSA</td>
</tr>
<tr>
<td>$R_{\text{noMSA+OH(aq)}}$</td>
<td>$R_{\text{all}}$; without MSA+OH$_{(\text{aq})}$ reaction</td>
</tr>
<tr>
<td>$R_{\text{lessMSA+OH(aq)}}$</td>
<td>$R_{\text{all}}$; $k_{\text{MSA+OH(aq)}}/4.7$ (Zhu et al., 2003)</td>
</tr>
<tr>
<td>$R_{\text{lowOH(aq)}}$</td>
<td>$R_{\text{all}}$; reduce OH$_{(\text{aq})}$ concentrations in cloud droplets and aerosols by a factor of 10</td>
</tr>
<tr>
<td>$R_{\text{add}}$</td>
<td>$R_{\text{all}}$; a unity yield of DMSO for the addition channel of DMS+OH reaction$^a$</td>
</tr>
<tr>
<td>$R_{\text{10Cl}}$</td>
<td>$R_{\text{10Cl}}$; increase Cl mixing ratios by a factor of 10</td>
</tr>
<tr>
<td>$R_{\text{all onlyDMS}}$</td>
<td>$R_{\text{all}}$; DMS emission from the ocean is the only sulfur source</td>
</tr>
<tr>
<td>$R_{\text{std onlyDMS}}$</td>
<td>$R_{\text{std}}$; DMS emission from the ocean is the only sulfur source</td>
</tr>
</tbody>
</table>

$^a$The product yield for the addition channel of the DMS+OH reaction is highly uncertain. Product yields of 0.6 for SO$_2$ and 0.4 for DMSO have been commonly used in global models (Pham et al., 1995; Cosme et al., 2002; Spracklen et al., 2005; Breider et al., 2010) based on experiments described in Turnipseed et al. (1996) and Hynes et al. (1993), and is used in this study (e.g., in $R_{\text{all}}$). Experiments under NO$_x$-free conditions suggest a DMSO yield near unity (Arsene et al., 1999; Barnes et al., 2006), as used in the sensitivity simulation $R_{\text{add}}$. 

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Table 4. The uncertainties of the rate constants for the 12 reactions added in the model. The uncertainty factor $f_{298}$ means the reaction rate constant may be greater than or less than the recommended value by the factor $f_{298}$. Type “R”, “L” and “M” represents values obtained from “literature reviews”, “laboratory measurements” and “modeling studies”, respectively.

<table>
<thead>
<tr>
<th>Gas-phase reactions</th>
<th>$f_{298}$</th>
<th>Type</th>
<th>Reference</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\text{DMS} + \text{OH} \rightarrow \ldots$</td>
<td>1.2</td>
<td>R</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>$\text{DMS} + \text{BrO} \rightarrow \ldots$</td>
<td>1.3</td>
<td>R</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>$\text{DMS} + \text{O}_3 \rightarrow \ldots$</td>
<td>1.2</td>
<td>L</td>
<td>Du et al. (2007)</td>
</tr>
<tr>
<td>$\text{DMS} + \text{Cl} \rightarrow \ldots$</td>
<td>1.2</td>
<td>R</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>$\text{DMSO} + \text{OH} \rightarrow \ldots$</td>
<td>1.2</td>
<td>R</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>$\text{MSIA} + \text{OH} \rightarrow \ldots$</td>
<td>1.4</td>
<td>R</td>
<td>Burkholder et al. (2015)</td>
</tr>
<tr>
<td>$\text{MSIA} + \text{O}_3 \rightarrow \ldots$</td>
<td>1.5</td>
<td>M</td>
<td>Lucas and Prinn (2002)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Aqueous-phase reactions</th>
<th>$k_{298}$ [M$^{-1}$ s$^{-1}$]</th>
<th>Type</th>
<th>Reference</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\text{DMS}_{(aq)} + \text{O}<em>3</em>{(aq)} \rightarrow \ldots$</td>
<td>$(8.6 \pm 8.1) \times 10^8$</td>
<td>L</td>
<td>Gershenzon et al. (2001)</td>
</tr>
<tr>
<td></td>
<td>$(6.1 \pm 2.4) \times 10^8$</td>
<td>L</td>
<td>Lee and Zhou (1994)</td>
</tr>
<tr>
<td>$\text{DMSO}<em>{(g)} + \text{OH}</em>{(aq)} \rightarrow \ldots$</td>
<td>$(6.6 \pm 0.7) \times 10^9$</td>
<td>L</td>
<td>Zhu et al. (2003)</td>
</tr>
<tr>
<td></td>
<td>$7.5 \times 10^9$</td>
<td>M</td>
<td>Hoffmann et al. (2016)</td>
</tr>
<tr>
<td></td>
<td>$(4.5 \pm 0.4) \times 10^9$</td>
<td>L</td>
<td>Bardouki et al. (2002)</td>
</tr>
<tr>
<td></td>
<td>$(5.4 \pm 0.3) \times 10^9$</td>
<td>L</td>
<td>Milne et al. (1989)</td>
</tr>
<tr>
<td>$\text{MSIA}<em>{(aq)} + \text{OH}</em>{(aq)} \rightarrow \ldots$</td>
<td>$(6.0 \pm 1.0) \times 10^9$</td>
<td>L</td>
<td>Sehested and Holcman (1996)</td>
</tr>
<tr>
<td>$\text{MSI}^- + \text{OH}_{(aq)} \rightarrow \ldots$</td>
<td>$(1.2 \pm 0.2) \times 10^{10}$</td>
<td>L</td>
<td>Bardouki et al. (2002)</td>
</tr>
<tr>
<td></td>
<td>$7.7 \times 10^9$</td>
<td>M</td>
<td>Zhu et al. (2006)</td>
</tr>
<tr>
<td>$\text{MSIA}_{(aq)} \rightarrow \ldots$</td>
<td>$3.5 \times 10^7$</td>
<td>M</td>
<td>Hoffmann et al. (2016)</td>
</tr>
<tr>
<td>$\text{MSI}^-_{(aq)} \rightarrow \ldots$</td>
<td>$2.0 \times 10^6$</td>
<td>L</td>
<td>Flyunt et al. (2001)</td>
</tr>
<tr>
<td>$\text{MSA}<em>{(aq)} + \text{OH}</em>{(aq)} \rightarrow \ldots$</td>
<td>$1.5 \times 10^7$</td>
<td>M</td>
<td>Hoffmann et al. (2016)</td>
</tr>
<tr>
<td>$\text{MS}^- + \text{OH}_{(aq)} \rightarrow \ldots$</td>
<td>$(1.3 \pm 0.1) \times 10^7$</td>
<td>L</td>
<td>Zhu et al. (2003)</td>
</tr>
<tr>
<td></td>
<td>$(6.1 \pm 1.1) \times 10^7$</td>
<td>L</td>
<td>Milne et al. (1989)</td>
</tr>
</tbody>
</table>
Table 5. The locations of the 23 stations that provide annual-mean MSA/nssSO$_4^{2-}$ observations.

<table>
<thead>
<tr>
<th>Station name</th>
<th>Location</th>
<th>Station name</th>
<th>Location</th>
</tr>
</thead>
<tbody>
<tr>
<td>Dye (DI)</td>
<td>66°N, 53°E</td>
<td>American Samoa (AS)</td>
<td>14°S, 170°W</td>
</tr>
<tr>
<td>Heimaey (HE)</td>
<td>63°N, 20°W</td>
<td>New Caledonia (NC)</td>
<td>21°S, 166°E</td>
</tr>
<tr>
<td>United Kingdom (UK)</td>
<td>58°N, 6°W</td>
<td>Norfolk Island (NI)</td>
<td>29°S, 168°E</td>
</tr>
<tr>
<td>Mace Head (MH)</td>
<td>53°N, 10°W</td>
<td>Amsterdam Island (AI)</td>
<td>38°S, 77°E</td>
</tr>
<tr>
<td>Crete Island (CI)</td>
<td>35°N, 25°E</td>
<td>Cape Grim (CG)</td>
<td>40°S, 144°E</td>
</tr>
<tr>
<td>Bermuda (BE)</td>
<td>32°N, 65°W</td>
<td>Palmer (PA)</td>
<td>65°S, 64°W</td>
</tr>
<tr>
<td>Tenerife (TE)</td>
<td>28°N, 17°W</td>
<td>Dumont D’Urville (DU)</td>
<td>66°S, 140°E</td>
</tr>
<tr>
<td>Midway Island (MD)</td>
<td>28°N, 177°W</td>
<td>Mawson (MA)</td>
<td>67°S, 63°E</td>
</tr>
<tr>
<td>Miami (MI)</td>
<td>26°N, 80°W</td>
<td>Neumayer (NE)</td>
<td>70°S, 8°W</td>
</tr>
<tr>
<td>Barbados (BA)</td>
<td>13°N, 60°W</td>
<td>Halley Bay (HB)</td>
<td>75°S, 26°W</td>
</tr>
<tr>
<td>Fanning Island (FI)</td>
<td>4°N, 159°W</td>
<td>Kohnen (KO)</td>
<td>75°S, 0°E</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Dome C (DC)</td>
<td>75°S, 123°E</td>
</tr>
</tbody>
</table>