The Role of 1D and 3D Radiative Heating
on the Organization of Shallow Cumulus Convection
and the Formation of Cloud Streets

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Abstract. The formation of shallow cumulus cloud streets was historically attributed primarily to
dynamics. Here, we focus on the interaction between radiatively induced surface heterogeneities
and the resulting patterns in the flow. Our results suggest that solar radiative heating has the poten-
tial to organize clouds perpendicular to the sun's incidence angle.

To quantify the extent of organization, we performed a high resolution LES parameter study. We
varied the horizontal wind speed, the surface heat capacity, the solar zenith and azimuth angles, as
well as radiative transfer parameterizations (1D and 3D). As a quantitative measure we introduce a
simple algorithm that provides a scalar quantity for the degree of organization and the alignment.
We find that, in the absence of a horizontal wind, 3D radiative transfer produces cloud streets per-
pendicular to the sun’s incident direction, whereas the 1D approximation or constant surface fluxes
produce circular, randomly positioned, clouds. Our reasoning for the enhancement or reduction of
organization is the geometric position of the cloud’s shadow and the corresponding surface fluxes.
Furthermore, when increasing horizontal wind speeds to 5 or 10 m s$^{-1}$, we observe the development
dynamically induced cloud streets. If in addition, solar radiation illuminates the surface beneath
the cloud, i.e. when the sun is positioned orthogonal to the mean wind field and the solar zenith
angle is larger than 20$^\circ$, the cloud-radiative feedback has the potential to significantly enhance the
tendency to organize in cloud streets. In contrast, in the case of the 1D approximation (or overhead
sun), the tendency to organize is weaker or even prohibited because the shadow is cast directly be-
neath the cloud. The radiative feedback on surface heterogeneities is generally diminished for large
surface heat capacities. We therefore expect radiative feedbacks to be strongest over land surfaces
and weaker over the ocean. Given the results of this study we expect that simulations including shal-
low cumulus convection will have difficulties producing cloud streets if they employ 1D radiative
transfer solvers or may need unrealistically high wind speeds to excite cloud street organization.
1 Introduction

The advent of airborne and satellite observations allow for a bird’s eye view of the atmosphere and, ever since, meteorologists have been fascinated by the striped patterns often evident in cloud systems. Kuettner (1959) presented some early pictures of cloud streets from rocket and aircraft instruments. Descriptions of cloud streets, date back as far as Steinhoff (1935), who gave a detailed description of a long-distance glider flight, or Woodcock (1942) who investigated the soaring patterns of seagulls. Scientific literature documenting the existence and explaining the prerequisites for the formation of cloud streets is plentiful. Weckwerth et al. (1997) and Etling and Brown (1993) provide a thorough review of past observations and theoretical frameworks. They suggest that favorable ingredients for roll vortices are weak thermal instabilities with moderate horizontal wind speeds in the planetary boundary layer.

Thermal instabilities are directly linked to surface fluxes and consequently to surface heterogeneities. Several studies investigated the role of surface fluxes on the development of boundary layer circulations with a focus on cloud streets. Here the literature distinguishes between static heterogeneities, i.e. differences in land-surface parameters such as vegetation, surface roughness or surface albedo and dynamic heterogeneities, such as moisture budget or temperature fluctuations. Static heterogeneities in conjunction with shallow cumulus clouds and cloud streets have been examined for example by Avissar and Schmidt (1998); Patton et al. (2005); Rieck et al. (2014). In contrast, Schumann et al. (2002); Wapler (2007); Frame et al. (2009); Gronemeier et al. (2016) investigated the influence of dynamic heterogeneities in surface shading and even considered 3D radiative effects (i.e. the displacement of the shadow). However, they did not include a realistic surface model, but rather adjusted the surface fluxes instantaneously. Others investigated the influence of shading coupled to an interactive surface model (Vilà-Guerau de Arellano et al., 2014; Lohou and Patton, 2014; Horn et al., 2015). However, one particularly questionable issue with those studies was the application of 1D radiative transfer solvers, which are known to introduce large spatial error in surface heating rates (O’Hirok and Gautier, 2005; Wapler and Mayer, 2008; Wissmeier et al., 2013; Jakub and Mayer, 2015).

Overall, we can summarize that the formation of cloud streets has been extensively explored from theoretical and observational perspectives. The above mentioned studies shed light on the various aspects of interaction with the cloud field but either lack a realistic representation of surface processes, neglect 3D radiative transfer effects or do not examine the relationship concerning the background wind speed.

In this study we strive to overcome these shortcomings and determine the prerequisites for the formation of cloud streets, while our main focus lies on dynamic heterogeneities and (3D) radiative transfer. We try to disentangle the underlying processes with a rigorous parameter study using Large-Eddy-Simulations (LES).

Section 2 briefly outlines the LES model, explains the setup of the simulations and introduces a
Figure 1. Virtual photograph of LES simulations at a cruising altitude of 15 km. Top panel: cloud formation of a simulation driven by 3D radiation (TenStream with sun in the east, i.e. right ($\phi = 90^\circ$)). Lower-panel: cloud formation of a simulation which was performed with 1D radiation (Two-stream). The specific model setup is the same as referenced in fig. 2, i.e., no background wind and a continental land surface. The simulations differ with respect to cloud size distributions and the organization in cloud streets, the cloud fraction though is the same (27%). The visualization was performed with a physically correct rendering with MYSTIC (MonteCarlo solver in libRadtran (Mayer, 2009; Emde et al., 2015)).

scalar metric to quantify the organization in cloud streets. In section 3 we interpret the magnitude of cloud street formations in the parameter space spanning surface properties, background wind speeds and the sun’s angles. Section 4 finally summarizes key findings of the parameter study.

2 Methods and Experiments

2.1 LES Model

The Large-Eddy-Simulations (LES) were performed with the UCLA–LES model. A description and details of the LES model can be found in Stevens et al. (2005). The land surface model follows the implementation of the Dutch Atmospheric Large-Eddy Simulation code Heus et al. (2010). The simulations presented here use warm micro-physics formulated in Seifert and Beheng (2001) where the formation of rain is turned off to prevent any further complications such as cold pool dynamics. The radiative transfer calculations are performed with the TenStream package (Jakub and Mayer, 2015), which includes a 1D Schwarzschild (thermal only), a $\delta$-Eddington two-stream (solar and thermal), as well as the 3D TenStream (solar and thermal) solver.

The TenStream is a MPI-parallelized solver for the full 3D radiative transfer equation. In analogy to a two-stream solver, the TenStream solver computes the radiative transfer coefficients for up- and
downward fluxes and additionally for sideward streams. The coupling of individual boxes leads to a linear equation system which is written as a sparse matrix and is solved using parallel iterative methods from the “Portable, Extensible Toolkit for Scientific Computation”, PETSc (Balay et al., 2014) framework. In Jakub and Mayer (2015, 2016), we extensively validated the TenStream by comparison with the exact Monte Carlo code MYSTIC (Mayer, 2009).

The most pronounced differences between 1D and 3D radiative transfer solvers, pertaining the setup here, is the displacement of the sun’s shadow at the surface. In the case of 1D radiative transfer, the shadow of a cloud is by definition always directly beneath it (so called independent pixel or independent column approximation). Contrarily, 3D radiative transfer allows the propagation of energy horizontally and correctly displaces the clouds shadow depending on the sun’s position.

The spectral integration is performed using the correlated-k method following Fu and Liou (1992). The coupling of the TenStream solver to the UCLA–LES follows the description in Jakub and Mayer (2016). One exception is the use of the Monte-Carlo-Spectral-Integration (Pincus and Stevens, 2009) which we do not use because of limitations with regards to computations involving interactive surface models (Pincus and Stevens, 2013).

2.2 Model Experiment Setup

The base setup of the UCLA–LES simulates a domain of $50 \text{ km} \times 50 \text{ km}$ with a horizontal resolution of $100 \text{ m}$ and $50 \text{ m}$ vertically. The simulations start from a well-mixed initial background profile with a constant virtual potential temperature ($292 \text{ K}$) in the lower 700 m and increases by $6 \text{ K km}^{-1}$ above. Water vapor near the surface amounts to $9.5 \text{ g kg}^{-1}$, decreasing with $-1.3 \text{ g kg}^{-1} \text{ km}^{-1}$. The layers of the surface model are soaking wet (30% vmr) and stripped of vegetation with an initial temperature of 291 K. The surface albedo for shortwave radiation is set to 7%.

The time it takes the simulations to form the first clouds depends on the choice of the parameters. Foremost the solar zenith angle determines the energy input into the atmosphere and the surface (lower positioned sun hence leads to a later onset of cloud development). To compare the het-
Table 1. Parameter space for the LES simulations: the mean west wind \( u \), the solar azimuth and zenith angle \( \varphi, \theta \), the surface skin heat capacity \( C_{\text{skin}} \) as a water column equivalent and three settings for the computation of net radiative surface fluxes \( Q_{\text{net}} \). The radiative transfer computations are done either with a 1D \( \delta \)-Eddington two-stream, with the 3D TenStream solver or simulations with constant mean net irradiance. Variations of the solar azimuth \( \varphi \) are only applied for 3D radiative transfer. Values of \( Q_{\text{net}} \) in case of simulations without interactive radiative transfer were set to the mean surface irradiance of the 1D simulations. In total a number of 192 simulations.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Values</th>
</tr>
</thead>
<tbody>
<tr>
<td>( u )</td>
<td>0, 5, 10 m s(^{-1})</td>
</tr>
<tr>
<td>( \varphi )</td>
<td>90, 180 °</td>
</tr>
<tr>
<td>( \theta )</td>
<td>20, 40, 60, 75 °</td>
</tr>
<tr>
<td>( C_{\text{skin}} )</td>
<td>1, 10, 100, 1000 cm</td>
</tr>
<tr>
<td>( Q_{\text{net}} )</td>
<td>constant, 1D, 3D</td>
</tr>
</tbody>
</table>

For homogeneous simulations we limit the following analysis to the time-steps (output every 5 min) where the cloud fraction is between 10% and 50% (typical for shallow cumulus convection, e.g. Seifert and Heus (2013)). Most simulations produce clouds after about one hour and show an increase in cloud cover up to and beyond 50% in the first 6 h. Simulations with low positioned sun took longer and were hence run for a longer period of 12 h.

Figure 1 shows a photo rendering of the LES cloud field for two simulations with differing options for the radiative transfer solver. In the top panel, 3D radiative transfer is considered with the sun positioned in the east (zenith \( \theta = 60° \)) and in the bottom panel panel 1D solver is applied where the shadow is by definition always cast directly beneath the clouds. In the former the organization in cloud streets perpendicular to the sun’s incident angle is evident whereas the latter (1D) does not seem to organize in any way. Figure 2 presents the liquid water content and the surface heat flux for the same two simulations plus one 3D simulation where the sun is in the south. This time we look at volume rendered liquid water content and surface heat fluxes for the full domain. In figs. 1 and 2, simulations with 3D radiative transfer show organization in cloud streets with length scales of up to 20 km, perpendicular to the sun’s incident angle. We can clearly identify these coherent cloud structures with the naked eye. However, to solidify our claims, we present a quantitative measure for the cloud distribution.

2.3 Correlation Ratio

Since we do not deal with towering and tilted or multilayer clouds we can use the cloud mask as a proxy to separate individual clouds. We derive the cloud mask as the binary field of the liquid water path (LWP > 0). We then use the normalized 2D auto correlation function of the cloud mask.
Figure 2. Volume rendered liquid water mixing ratio (LWC) and surface latent and sensible heat flux \((L+H)\) for three simulations. The cloud scene of the left and mid panel have already been presented in fig. 1. In the left panel, radiative transfer calculations are performed with the TenStream solver and the sun is positioned in the east \((\varphi = 90^\circ)\). The simulation in the mid-panel is driven by a 1D two-stream solver, whereas the right panel simulation also employs the TenStream solver but the sun shining from the south \((\varphi = 180^\circ)\). The solar zenith angle is in all three simulations \(\theta = 60^\circ\), the mean background wind speed is \(0\ \text{m s}^{-1}\) and the surface skin heat capacity set to an equivalent of \(1\ \text{cm}\) water depth (representative for continental land surface). The snapshot shows the simulations after 3h model time at a cloud fraction of \(27\%\). Volume rendered plots were created with VISIT (Childs et al., 2012).

To analyze the spatial distribution of cloudy and clear-sky patches. The three upper panels of fig. 3 illustrate the 2D correlation coefficient for the three simulations presented in fig. 2.

Next, we use the transects of the correlation coefficient along the x- and y-axis (indicated as a black line). The lower panels in fig. 3, respectively, show the linearly interpolated linecuts of the discrete auto-correlation function. The location where the normalized correlation coefficients goes to zero defines the mean distance from a cloudy pixel where it is more likely to find a clear-sky pixel. We use the north-south and the east-west distances \(d_{NS}\) and \(d_{EW}\), respectively, to define the correlation ratio \(R_c\) as:

\[
R_c = d_{NS}/d_{EW}
\]

This definition would miss cloud streets in diagonal direction which, however, is no limitation for our analysis. For one, we know that the background wind induces cloud streets along track, i.e. here in the west-east component (see e.g. Weckwerth et al. (1997)). At the same time we hypothesize that radiatively induced effects will be either along or perpendicular to the incident solar beam, i.e. follow the surface inhomogeneities (see, e.g., Gronemeier et al. (2016). The two major directions should therefore capture the dominant effects of dynamically and radiatively induced cloud dynamics.
Figure 3. The panels exemplarily depict the auto-correlation coefficients of the cloud distribution in the three simulations presented in fig. 2. The upper panels show the normalized 2D autocorrelation coefficient with two intersection lines in the North-South (vertical) and the East-West (horizontal) direction. The markers pinpoint the distance in N-S (red) and E-W (blue) direction, respectively, where the auto-correlation coefficient reaches a zero value and therefore denote the distance where it becomes more likely not to find a cloud. The lower panels follow the black linecuts and further describe the two transects depicting the correlation function’s root points from which we derive the correlation ratio. Simulations with 3D radiative transfer (left and right panels) shows in contrast to 1D radiative transfer (mid panel) a distinct asymmetry perpendicular to the solar incidence angle. The organization of clouds and their alignment is represented in values of the correlation ratio $R_c$ being less than or greater than one for alignment along the y- or x-axis, respectively.

The correlation ratio reduces a cloud field snapshot into a scalar which yields $R_c = 1$ for symmetrically distributed clouds, $R_c < 1$ for organized cloud fields along the north-south direction and $R_c > 1$ if cloud features are arranged east to west. We finally compute the mean correlation ratio $\overline{R_c}$ as the arithmetic mean of $R_c$ calculated at all output timesteps (every 5 minutes) where the cloud fraction is between 10% and 50%.

3 Results and Discussion

The basis for the following analysis is the evaluation of correlation ratios as a function of the five free parameters, $u$, $\varphi$, $\theta$, $C_{\text{skin}}$, and the radiative transfer solver (for details, see table 1). Figure 4 shows the mean correlation ratio $\overline{R_c}$ for each of the 192 simulations. The three panels show results
Figure 4. Correlation ratio for simulations with a variable surface skin heat capacity ($C_{\text{skin}}$), solar zenith angle ($\theta$), and three wind velocities (panels left to right). Shaded areas group simulations with a constant $C_{\text{skin}}$ according to their respective values, while the horizontal spread inside a group is merely to separate datapoints visually. Wind-component $\vec{u}$ is always from west to east while the individual markers denote simulations where the surface irradiance $Q_{\text{net}}$ is set to a constant value, or is computed either with a 1D two-stream solver, or with the 3D TenStream where the sun is either shining from the south ($180^\circ$) or from the east ($90^\circ$). The correlation ratio is averaged over all timesteps where the cloud fraction is between 10 $\%$ and 50 $\%$.

for different horizontal background wind speeds, 0 m s$^{-1}$, 5 m s$^{-1}$ and 10 m s$^{-1}$. Each panel’s x-axis is divided into four categories for the surface skin heat capacity and the colorbar describes the solar zenith angle. Additionally, four different markers denote the various options concerning the radiative transfer solvers while the rotation of triangle markers (3D RT) denote the azimuth angle.

We will first focus on the left panel which shows the correlation ratios for the simulations without any background wind and later move on to simulations with wind. In other words, we start by focusing on purely radiative effects and their influence on the organization of convection and eventually add dynamically induced cloud streets to the discussion.

3.1 Without Wind: $u = 0 \text{ m s}^{-1}$

The three simulations presented in section 2 are located on the far left panel of fig. 4 with a surface skin heat capacity equivalent of 1 cm water column (furthest to the left shaded area). Correspondingly, the markers for 3D radiative transfer are shown as triangle markers in light blue (zenith angle...
Figure 5. Sketch from an aerial view depicting surface fluxes in the vicinity of a cloud with a tilted solar incidence. The cloud casts a shadow on the westward surface pixels (blue dots). The available convective energy is directly proportional to latent and sensible heat release of the surface in the vicinity of the convective updraft. Arrows illustrate the confluence of near surface air masses from adjacent pixels in a thermally driven updraft event. Convective tendencies will be weaker on pixels that are adjacent to shaded patches, e.g. at a). In contrast, pixels that are surrounded by sun-lit patches, e.g. b), are likely to show enhanced convective motion. This pattern favors the organization of cumulus convection in stripes perpendicular to the sun’s incident.

To explain the concept of why 3D RT creates rolls, we may setup a quick thought experiment. First start with the assumption that there already is a single cloud which will cast the shadow along the sun’s incident angle. The surface fluxes for latent sensible heat will be smaller in the shadowy area and hence we expect the next convective plume to rise in sun-lit areas. Figure 5 illustrates the concept for a single cloud and the resulting pattern for surface fluxes. The schematic only constrains convection to be less favorable on the shadowy side but it does not necessarily favor the perpendicular directions over the direction towards the sun. However, if a cloud would evolve on the sun-facing side, the resulting shadow would in turn lead to a faster dissipation of the initial cloud and is thereby an unstable environment for persistent cloud patterns. Following this, we expect the convection to occur favorably perpendicular to the sun’s incident angle purely from geometric reasoning.

It is also clear from the horizontal axis of fig. 4 that higher heat capacities lead to less pronounced formations of cloud streets which is to be expected because it weakens the radiative impact and consequently reduces the dynamically induced surface heterogeneities. Yet, though weaker, we still find an impact in 3D radiative transfer simulations even for a water column equivalent of 10 m. In this case with such high surface heat capacities, the simulation do not exhibit any variability in surface fluxes and radiation solely acts through atmospheric heating. We recover this behavior also in simulations with a fixed sea surface temperature or with constant latent and sensible surface
fluxes (not shown). In Jakub (2016, fig. 3.22), we show that the asymmetric heating of the cloud sides (or similarly in Wapler (2007); Gronemeier et al. (2016) for displaced surface shadows) introduces a secondary circulation by lifting the sun-lit side and enhancing subsidence on the shadowy side. This asymmetry introduces a wind shear component consisting of a horizontal wind away from the sun at cloud height and towards the sun near the surface. Given that the effects of atmospheric heating is much smaller and happens on longer timescales compared to the surface feedback we put the interpretation aside for another time.

Simulations with one-dimensional radiative transfer or constant $Q_{\text{net}}$ do not produce cloud streets which is reflected by correlation ratios $R_c \approx 1$. If we apply the same geometric reasoning from fig. 5 for these simulations, where the shadow is either directly beneath the cloud or with no heterogeneity at all, it is clear that there can be no preferential direction for convective organization.

Three-dimensional radiation calculations with high or low solar zenith angles also show a reduced production of cloud streets. This is, (a) because low zenith angles (sun above head) practically behave just as 1D radiative transfer, and (b), because large zenith angles (low sun, smaller heating rates) have a weaker potential to create surface heterogeneities.

3.2 Medium Wind: $u = 5 \text{m} \text{s}^{-1}$

The middle panel of fig. 4 presents the correlation ratios for simulations with a horizontal background wind of $5 \text{m} \text{s}^{-1}$. If we first shift our attention to the simulations with constant surface irradiance $Q_{\text{net}}$ (round markers), it is evident that the introduction of a mean wind profile leads to the formation of cloud streets ($R_c > 1$), irrespective of radiatively induced surface heterogeneities. This is consistent with the literature on the formation of cloud streets which was introduced in section 1. Interestingly, we find a spread in the development of cloud streets depending on the magnitude of the prescribed $Q_{\text{net}}$, with correlation ratio ranging from 1 to 5. While thermally driven convection in conjunction with a vertical wind shear is a key ingredient for the formation of cloud streets, we find less pronounced organization in cases with high surface fluxes. This may be explained following the remark of Weckwerth et al. (1997): "...rolls are most commonly observed within slightly unstable environments. As the convective boundary layer becomes more unstable it is generally expected that growth of two-dimensional convective instabilities is less preferred."

Strong radiative heating, such as we get for high sun (i.e. small $\theta$) results in an increased atmospheric instability. Fully quantifying the intricate relation between thermal instabilities and the formation of cloud streets is an endeavor in itself and to the best of our knowledge, there is not yet a definitive answer. Anyway, from our results, it is evident that a medium background wind profile dynamically induces cloud street organization with correlation ratios on the order of $R_c \approx 1.5$.

So far we discussed only the simulations with constant $Q_{\text{net}}$. When we look at land surfaces that are coupled to radiative transfer calculations (1D and 3D markers in fig. 4), we find that radiative heating may either enhance the organization ($R_c \text{ up to 13}$) or counter-act it ($R_c < 1$). The following
paragraph examines the superposition of dynamically and radiatively induced tendencies to organize
the clouds.
Let’s consider the case that there is a dynamically induced cloud street along the mean background
wind, i.e. from west to east. Quasi 1D radiation (1D and 3D if sun is close to zenith) casts a shadow
onto the cloud’s updraft region and therefore hinders further development of the cloud. This results
in values for the correlation ratio of \( R_c \approx 1 \). Similarly, 3D radiation where the azimuth is in the
same direction as the wind (here east, \( \varphi = 90^\circ \), left-rotated markers) also inhibits the formation
of cloud streets or may even oppose the dynamically induced organization and produce correlation
ratios \( R_c < 1 \).
In contrast, for 3D radiative transfer with solar incidence perpendicular to the mean wind, i.e.
sun from south or north, and permitted that the sun’s zenith angle allows to illuminate the surface
beneath the cloud (\( \theta > 20^\circ \)), we find that the radiative tendency to organize the clouds amplifies the
dynamically one. This synergistic behaviour results in correlation ratios \( R_c \) between 5 and 13.
As mentioned previously in section 3.1, we again find a generally diminished influence of surface
radiative heating in simulations with larger surface heat capacities.

3.3 Strong Wind: \( u = 10 \text{ m} \text{s}^{-1} \)

A stronger background wind profile of 10 m s\(^{-1}\) principally shows similar behavior as the case
that was presented with medium wind speeds (see right panel of fig. 4). The mean correlation ratios
of purely dynamically induced cloud streets (simulations with constant \( Q_{\text{net}} \), i.e. circle markers)
cover an increasingly large range of ratios from 2 to 14. Strong solar radiation coupled with small
surface heat capacities still manage to efficiently suppress the formation of cloud streets (i.e. \( R_c \)
consistently smaller than purely dynamic values). Whereas illumination perpendicular to the wind
direction (\( \varphi = 180^\circ \) and \( \theta > 20^\circ \)) again greatly amplifies the occurrence of cloud streets. This might
be surprising if we consider that horizontal wind should indeed smooth out the impact of radiative
surface heating. Lohou and Patton (2014) for example also suggest that wind speeds of 10 m s\(^{-1}\) may
decouple the effects of dynamically induced surface heterogeneities from the evolution of clouds.
However, if we consider that the dynamically induced cloud streets have typical length scales of
50 km (Kuettner, 1959), then, as far as radiative heating at the surface is concerned, the cloud appears
to be standing still. In other words, when a dynamically induced cloud feature aligns in such a way
that it persistently shades a surface region for an extended period of time, we expect that the surface
heterogeneities due to radiative transfer in turn interact with the flow. It is this intricate linkage
between dynamically induced cloud structures and (3D) radiative transfer that may enable or prohibit
the formation of cloud streets.
4 Summary & Conclusions

The formation of cumulus cloud streets was historically attributed primarily to dynamics. This work aims to document and quantify the generation of radiatively induced cloud street structures. To that end, we performed 192 LES simulations with varying parameters (see table 1) for the horizontal wind speed, the surface heat capacity, the solar zenith and azimuth angle, as well as for different radiative transfer solvers (section 2.2). As a quantitative measure for the development of cloud streets, we introduce a simple algorithm using the autocorrelation function on the cloud mask (section 2.3), which provides a scalar quantity for the degree of organization in cloud streets and the alignment along the cardinal directions.

We find that, in the absence of a horizontal wind, 3D radiative transfer produces cloud streets perpendicular to the sun’s incident direction whereas the 1D approximation or constant surface irradiance produce circular, randomly positioned, clouds. Our reasoning for this is the geometric position of the cloud’s shadow and the corresponding feedback on surface fluxes which enhances or diminishes convective tendencies (see fig. 5 for details). While the data indicates that there exists an influence due to atmospheric heating rates, we find that the differences between 1D and 3D radiation stem predominantly from surface heating, i.e. the horizontal displacement of cloud shadows. Furthermore, with increasing horizontal wind speeds of 5 or 10 m s\(^{-1}\), we observe the development of dynamically induced cloud streets. So far, this is consistent with the literature on the formation of cloud streets which is introduced in section 1.

However, if solar radiation illuminates the surface beneath the cloud, i.e. when the sun is positioned orthogonal to the mean wind field and the solar zenith angle is larger than 20\(^\circ\), the cloud-radiative feedback may significantly enhance the tendency to organize in cloud streets. In contrast, in the case of the 1D approximation (or also 3D if the sun is aligned with the mean wind), the tendency to organize in cloud streets is weaker or even prohibited because the shadow is cast directly beneath the cloud, weakening the cloud’s updraft. The radiative feedback on surface heterogeneities is generally diminished for large surface heat capacities. We therefore expect radiative feedbacks to be strongest over land surfaces and less so over the ocean. Given the results of this study we expect that simulations including shallow cumulus convection will have difficulties to produce cloud streets if they employ 1D radiative transfer solvers or, may need unrealistically high wind speeds to excite cloud street organization.

Future studies have to examine if the relationship between radiative transfer and convective cloud streets also applies to the real world with all the complexities of static surface heterogeneities and complex wind fields. A promising start is an analysis of the simulations within the HDCP\(^2\) project (Heinze et al., 2017) which will allow us to test the here proposed interpretations in a more realistic setup.
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