Effect of water vapour on the determination of Aerosol Direct Radiative Effect based on the AERONET fluxes

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Abstract

The Aerosol Direct Radiative Effect (ADRE) is defined as the change in the solar radiation flux, $F$, due to aerosol scattering and absorption. The difficulty in determining ADRE stems mainly from the need to estimate $F$ without aerosols, $F^0$, with either radiative transfer modelling and knowledge of the atmospheric state, or regression analysis of radiation data down to zero aerosol optical depth (AOD), if only $F$ and AOD are observed. This paper examines the regression analysis method by using modeled surface data products provided by the AErosol RObotic NETwork (AERONET). We extrapolated $F^0$ by two functions: a straight linear line and an exponential nonlinear decay. The exponential decay regression is expected to give a better estimation of ADRE with a few percents larger extrapolated $F^0$ than the linear regression. We found that, contrary to the expectation, in most cases the linear regression gives better results than the nonlinear. In such cases the extrapolated $F^0$ represents an unrealistically low WVC, resulting in underestimation of attenuation caused by the water vapour, and hence too large $F^0$ and overestimation of the magnitude of ADRE. The nonlinear ADRE is generally 40–50% larger in magnitude than the linear ADRE due to the extrapolated $F^0$ difference. Since for a majority of locations, AOD and water vapour column (WVC) have a positive correlation, the extrapolated $F^0$ with the nonlinear regression fit represents an unrealistically low WVC, and hence too large $F^0$. The systematic underestimation of $F^0$ with the linear regression is compensated by the positive correlation between AOD and water vapour, providing the better result.

1 Introduction

Significant uncertainties exist in the current estimates of aerosol effects on climate (IPCC, 2013). This holds also for the aerosol direct radiative effect (ADRE) and aerosol direct radiative forcing (ADRF). The ADRE defines the attenuation of the (cloud free sky) surface solar radiation flux ($F$) due to aerosol scattering and absorption. Herein,
we consider the solar radiation flux at the surface, although ADRE applies also for the longwave flux and above the atmosphere. In the definitions of ADRE and ADRF, effects relate to both anthropogenic and natural aerosol particles, while forcing refers to the impact of anthropogenic aerosol particles. Although, e.g., Myhre (2009) recently showed an increment of the consistency between observation based and global aerosol model estimates, with a reduction in the uncertainty of this effect, other studies (e.g., Loeb and Su, 2010) highlight that considerable uncertainties are still associated with ADRE, mainly due to the uncertainties in single scattering albedo (SSA). Satheesh and Ramanathan (2000) employed a method in which ADRE is estimated using the aerosol direct effect efficiency (ADREE), which is the ADRE normalized by the aerosol optical depth (AOD), and it is estimated by fitting a straight line into surface solar flux and AOD observations. A linear dependence between aerosol attenuation and AOD has been commonly assumed when estimating ADRE (e.g., Kaufman et al., 2002; Bush and Valero, 2002, 2003; Dumka et al., 2006; Roger et al., 2006; di Sarra et al., 2008; Garcia et al., 2009; Satheesh et al., 2010). Typical attenuation of radiation intensity, however, implies nonlinear decay, as considered by e.g. Conant et al. (2003), Markowicz et al. (2008) and Kudo et al. (2010). Thus, a linear fit to $F$ and AOD data may result in an incorrect extrapolation of $F^0$.

The aim of this paper is to examine the uncertainties involved in estimating ADRE, both using the linear fitting method and a nonlinear approach if $F$ and AOD data are available from surface or satellite measurements. For this, we use Aerosol Robotic Network (AERONET) products (http://aeronet.gsfc.nasa.gov/) from all available AERONET stations, which cover different aerosol types and surface reflectance properties and provide modelled surface solar radiation fluxes also. We conducted our analysis using these modeled fluxes since they represent realistically enough the aerosol-induced relative changes in $F$ and furthermore give an estimate for $F^0$, which is self-consistent within the selected $F$ (AOD) data set. As AERONET provides an estimation of $F^0$, we can compare the estimations immediately with the baseline (AERONET). Special attention is paid to the possible effect of water vapour on estimating ADRE.
2 Methods and data

AERONET is a ground-based remote-sensing global network of Cimel sun photometers (Holben et al., 1998), retrieving e.g. spectral AOD, SSA and water vapor column (WVC) (Dubovik et al., 2000). In addition to the retrieved aerosol properties, AERONET inversion product provides also modeled radiative fluxes (both at top of atmosphere and at surface) that are based on the AERONET measurements. We used broad-band modeled surface SW fluxes from this data set. In this study, level 1.5 sky AERONET data are divided into groups by station, season (December–February, March–May, June–August and September–November) and by solar zenith angle (SZA) (3° steps in the range 0–80°). A dataset was included in the analysis if it had at least 20 observations and the data contained AOD 550 nm values above 0.3 and below 0.1. We chose to use level 1.5 data because using level 2.0 would leave out all quality-assured data with AOD 440 nm < 0.4 (including e.g. quality assured SSA and F calculations). The drawback of this choice is that at these low values of AOD, there are significant uncertainties in the optical properties retrieved. This is especially true for SSA, which is an important parameter. Thus, we applied all other level 2 criteria except for AOD (and SZA) limit, in order to enhance the accuracy of the data set selected. Moreover, we have imposed an additional data flagging criterion, removing those SSA points at the AOD 440 nm < 0.4, which are outside the average SSA ± standard deviation, defined for the AOD 440 nm > 0.4.

ADRE at the surface is the difference between the solar flux with and without aerosols: \( \text{aDRE} = \Delta F = F_{\text{aer}} - F^0 \) (\( F_{\text{aer}} \) is flux with aerosols). The major challenge obviously is the determination of \( F^0 \). The methodology for its estimation employed in this study is illustrated in Fig. 1, in which \( F_{\text{aer}} \) (+ symbols) is plotted as a function of AOD (from now on 550 nm) for the AERONET site in Kanpur station (26° N, 80° E) for the spring months March–May with SZA = 69° ± 1.5° (\( F_{\text{aer}} \) values were normalized for the average earth–sun distance and cosine correction of the SZA was done within SZA ranges to its midpoints). \( F^0 \) represents the case AOD = 0, but with measurements only
at AOD above ca. 0.15, we have to extrapolate down to 0. In Fig. 1 we show two such extrapolations: a linear fit (dashed line) and an nonlinear decay fit (solid line) with the data.

We chose this data subset since it represent a case in which the $F^{\text{aer}}$ and AOD data exhibit the natural nonlinear behavior of radiation intensity decay. Thus the resulting intercepts of the two curves at AOD = 0 are quite different, 317 Wm$^{-2}$ with linear extrapolation and 349 Wm$^{-2}$ with nonlinear regression, with a difference of 32 Wm$^{-2}$ when estimating ADRE. Also, for each $F^{\text{aer}}$ we show the corresponding AERONET $F^0$ (circles), based on the retrieved WVC and surface albedo, and calculated with a radiative transfer model (e.g., Garcia et al., 2008; Derimian et al., 2008). We use the ADRE obtained by averaging these $F^0$ (circles) values (bar at $F = 325$ Wm$^{-2}$ on the y-axis) as the benchmark against which the extrapolation methods are evaluated.

Mathematically, our analysis can be summed up as a comparison between the extrapolated ADRE

$$\text{ADRE}_{\text{extrapol}} = \frac{1}{n} \sum F^{\text{aer}}_i - F^0_{\text{extrapol}}$$

and the AERONET ADRE

$$\text{ADRE}_{\text{AERONET}} = \frac{1}{n} \sum F^{\text{aer}}_i - \frac{1}{n} \sum F^0_i,$$

in where $F^{\text{aer}}_i$ and $F^0_i$ is $F^{\text{aer}}$ and $F^0$, respectively, with $i$ varying from one to the number of dataset, $n$. Notably, the extrapolated $F^0$ ($F^0_{\text{extrapol}}$) derived with fits represents a single value for a dataset, but in the AERONET, $F^0$ is determined side-by-side with each $F^{\text{aer}}$. $F^0_{\text{extrapol}}$ is calculated using fits as follows

$$F^0_{\text{nonlin}} = x_1 + x_2 \cdot \exp(-x_3 \cdot \text{AOD}_i); \quad F^0_{\text{lin}} = x_1 + x_2,$$

$$F^0_{\text{nonlin}} = x_1 + x_2 \cdot \text{AOD}_i; \quad F^0_{\text{lin}} = x_1,$$
in where $F_{i}^{\text{nonlin}}$ and $F_{i}^{\text{lin}}$ is estimated $F^{\text{aer}}$ derived for each AOD with the nonlinear and linear method, respectively. Constants of fits are $x_{1}$, $x_{2}$, $x_{3}$, $x'_{1}$ and $x'_{2}$, and $F_{i}^{0,\text{nonlin}}$ and $F_{i}^{0,\text{lin}}$, thus $F_{i}^{0}$ extrapol of the nonlinear and linear fits, are provided with the constants.

Our decision to use the modeled $F$ from AERONET, instead of pyranometer measurements, was based on two different aspects. First, this allowed us to include a multiple number of sites, with very different and varying aerosol conditions. Second, AERONET data provided interesting ancillary measurements to support and better understand our analysis, WVC being the most crucial one. In addition, the AERONET $F$s agree with pyranometer measurements with a correlation better than 99 % and the relative difference varies from 0.98 to 1.02 (Garcia et al., 2008).

### 3 Results

As further examples of determining ADRE using regression analysis, we show $F^{\text{aer}}$ and AOD data from four sites in Fig. 2. In addition, the linear (dashed line) and nonlinear decay (solid line) fits to the data are shown. The bar on the vertical axis represents the average (with STD) value for $F^{0}$. Goddard Space Flight Center (GSFC) (39° N, 77° W) (SZA = 70°) (Fig. 2a) and Rio-Branco (10° S, 68° W) (SZA = 70°) (Fig. 2b) represent cases in which the data are of sufficient quality for estimating ADRE: AOD values reach close zero with only minor changes in WVC, aerosol optical properties and surface reflectance for a given AOD, resulting in a narrow spread in the data. In these cases, since the nonlinear decay represents a more realistic decay of radiation intensity (based on squared values of residuals), the intersection of the nonlinear fit with the AOD=0 axis (y-axis) is within the STD of the baseline value. Dhadnah (26° N, 56° E) (SZA = 70°) (Fig. 2c) and GSFC at SZA = 22° (Fig. 2d) are examples of more challenging cases: in Fig. 2c only data points with AOD $> 0.2$ exist so that a more extensive extrapolation is needed, and in Fig. 2d there is significant scatter in the points.
Perhaps the most interesting feature shown in Fig. 2, which also significantly affects the quality of ADRE estimation, is the correlation of $F^0$ with AOD. In Fig. 2a–d there is a negative correlation while in 2b the correlation is positive. The negative correlation between $F^0$ and AOD is indirectly caused mainly by a positive correlation of AOD with WVC due to humid airmasses with large aerosol concentration. Only in some cases, where airmasses are dominated by dust aerosols, the correlation is negative. With increasing AOD and WVC the WVC dims an increasing fraction of the radiation intensity – resulting in a smaller $F^0$. The opposite occurs if AOD and WVC have a negative correlation. Increase in the AOD as a function of WVC is presumably partly due to hygroscopic growth (e.g., Kitamori et al., 2009), although probably a major part of the correlation can be attributed to a large variance in atmospheric conditions of aerosol properties and air humidity during seasons.

The intersections of the nonlinear decay fits (solid lines in Fig. 2) with the AOD = 0 axis – 313.5 W m$^{-2}$ (Fig. 2a), 295.9 W m$^{-2}$ (2b), 327.4 W m$^{-2}$ (2c) and 1008.9 W m$^{-2}$ (2d) – approximate the $F^0$ value at AOD = 0. This is clear from the figure, if one imagines straight line fits through the circles and extrapolates fits down to AOD = 0. This approximation is, however, not necessarily a good one for the mean $F^0$, if $F^0$ and AOD correlate (through the AOD-WVC-correlation). For the negative correlation cases (2a–d) the intersections of the nonlinear decay fits with the AOD = 0 axis tend to therefore over-estimate the mean baseline $F^0$ (307.3 W m$^{-2}$ for 2a, 312.9 W m$^{-2}$ for 2c, and 972.1 W m$^{-2}$ for 2d) – as the majority of $F^0$ values are below the extrapolated $F^0$. Typically, for the positive correlation cases (2b, mean of $F^0 = 303.4$ W m$^{-2}$) the opposite occurs. As the linear fit obviously results in a lower estimation of $F^0$, the linear regression method can result often in a better estimation of the mean $F^0$, as is clearly the case in Fig. 2c (mean $F^0 = 306.7$ W m$^{-2}$) and Fig. 2d (mean $F^0 = 973.0$ W m$^{-2}$) – even if the nonlinear regression is physically more correct.

The performance of the two different regression methods and, in particular, the WVC and AOD correlation effect on the performance, is illustrated as scatter plots in Fig. 3. In Fig. 3a all data are presented in ADRE (nonlinear decay method) and ADRE
(AERONET $\Delta F_{\text{average}}$, Eq. 2) form. The colour of the single points indicates the correlation of the WVC and AOD. In Fig. 3b the same is shown for the linear regression case. Evidently a majority of the cases are such that WVC and AOD have a strong positive correlation (red colored points). In addition, it seems that for most of these cases, the linear regression method (Fig. 3b) results in a better ADRE estimation than the nonlinear decay regression method (Fig. 3a). This means that the inaccuracy inherent in the linear regression cancels out errors caused by the WVC and AOD correlation. For a weak WVC and AOD correlation, the nonlinear decay method appears to be clearly better (not shown, other parameters as surface albedo or SSA do not play as a crucial role as WVC).

Next we investigated possible geographical features of this correlation. Figure 4 shows the WVC and AOD correlation at all the sites included our study, in this case for the June–August season (all years available). Most of the points are colored either green or red, indicating an absent or a positive correlation. The strongest positive correlation is for the stations in Europe and eastern USA, presumably due to aerosol hygroscopic growth. The blue points, representing a negative correlation (at least for this season) are all in the Saharan outflow region (Marsham et al., 2008), with a strong desert dust domination and low WVC for larger AOD cases.

Finally, the ADRE estimations of all data are grouped together in numerical form in Table 1. As already evident from the figures, the nonlinear decay regression method overestimates (mean = $-57.2 \text{ Wm}^{-2}$) while the linear method underestimates (mean = $-39.4 \text{ Wm}^{-2}$) the magnitude of ADRE (AERONET value = $-46.1 \text{ Wm}^{-2}$). Overall, the linear method yields better results than the nonlinear decay method.

Previous studies have shown that the AERONET WVC agrees well with radiosonde sounding data (e.g., Prasad and Singh, 2009; Bokoye et al., 2007). We also compared AERONET WVC measurements against radiosonde data from five sites (Alta-Floresta, Cuiaba-Miranda, Niamey, Thessaloniki and Wallops) and observed similarly high correlations between these two data sources. However, we wanted to assess in particular whether there exists any systematic dependence between WVC from these two data sources.
southern sources as a function of AOD, which could affect our ADRE analysis based on the modeled $F$. We found that while the ratio between the AERONET and radiosonde WVC is essentially constant for AODs (at 500 nm) larger than about 0.1, in many sites WVC can deviate for the cases of smallest AOD (below 0.1). We estimated how our ADRE values (based on the $F$ and AOD relation) would change if we normalized the AERONET-modeled fluxes to incorporate the WVC from the radiosonde measurements instead of AERONET-measured WVC. We found that the increased WVC uncertainty at the lowest AOD values introduces an insignificant change in our ADRE estimates.

4 Conclusions

Determining the ADRE at the Earth’s surface from radiative flux, $F$, measurements is not straightforward because it involves the estimation of the flux without aerosols $F^0$. This requires either radiative transfer modelling or an extrapolation of $F$ down to $AOD = 0$.

We have evaluated two such extrapolation methods: (i) a linear fit and (ii) an nonlinear decay fit to the $F$ and AOD data. As a reference we used the AERONET ADRE data in which $F^0$ (and $F$) is calculated with radiative transfer modelling. Radiation attenuation due to multiple scattering and absorption results typically in a near nonlinear decay of the intensity, and thus the nonlinear decay regression is expected to give a better estimation of ADRE. This would be the case if the typically positive correlation of WVC and AOD would not affect the dependency. $F^0$ represents an unrealistically low WVC, resulting in an underestimation of attenuation caused by the WVC, and hence a too large $F^0$. This leads to an overestimation of the magnitude of ADRE. For stations and data series in which there is no correlation between WVC and AOD, the nonlinear decay fit is superior.

As the WVC effect was found to be of such importance, we also investigated the geographical correlation of WVC and AOD. The positive correlations clearly dominate, and clear negative correlations occur predominantly in desert dust dominated data.
series, such as the regions at the Saharan outflow. The strongest positive correlation was found in in stations in Europe and Eastern USA.

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Table 1. The estimated ADRE ($F^{\text{aer}}$) with standard deviations compared with the AERONET value. MAD = Mean Absolute Deviation. Units are in Wm$^{-2}$, except for the correlation coefficient (CC).

<table>
<thead>
<tr>
<th>Parameter</th>
<th>AERONET</th>
<th>Method</th>
<th>Estimate</th>
<th>Est. – AERONET</th>
<th>CC</th>
<th>MAD</th>
</tr>
</thead>
<tbody>
<tr>
<td>ADRE</td>
<td>$-46.1 \pm 20.4$</td>
<td>Exp. decay</td>
<td>$-57.2 \pm 23.4$</td>
<td>$-11.1$</td>
<td>0.75</td>
<td>13.4</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Linear</td>
<td>$-39.4 \pm 16.9$</td>
<td>$+6.7$</td>
<td>0.89</td>
<td>8.9</td>
</tr>
</tbody>
</table>
**Fig. 1.** Radiative flux with aerosols $F^{\text{aer}}$ (plusses) and without aerosols $F^0$ (circles) as a function of AOD for the AERONET site in Kanpur in March–May and with SZA = 69° ± 1.5°. The bar on the vertical axis represents the mean value of the estimated $F^0$ (all circles). The solid and dashed lines represent the exponential and linear fits to the data, respectively.
**Fig. 2.** Same as Fig. 1, but for the June–August season in (a) GSFC (SZA = 70), (b) Rio-Branco (SZA = 70), (c) Dhadnah (SZA = 70), (d) GSFC (SZA = 22°).
Fig. 3. ADRE predicted with exponential decay (a) and linear (b) regression methods (Eq. 1), compared with AERONET values (Eq. 2). The color of the data points represents the correlation coefficient of the AOD and WVC correlation, with red color indicating positive and blue color negative correlation.
Fig. 4. Geographical distribution of the AOD and WVC correlation, at all AERONET stations considered in this study for June–August (all available years).