



Particle-dependent
parameterizations of
heterogeneous
freezing processes

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New particle-dependent parameterizations of heterogeneous freezing processes: sensitivity studies of convective clouds with an air parcel model

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Abstract

Based on the outcome of laboratory results, new particle-dependent parameterizations of heterogeneous freezing were derived and used to improve and extend a two-dimensional spectral microphysics scheme. They include (1) a particle-type dependent parameterization of immersion freezing using the numbers of active sites per mass, (2) a particle-type and size-resolved parameterization of contact freezing, and (3) a particle-type dependent description of deposition freezing. The modified microphysical scheme was embedded in an adiabatic air parcel model with entrainment. Sensitivity studies were performed to simulate convective situations and the impact of ice nuclei concentrations and types on ice formation. As a central diagnostic parameter the ice water fraction IWF was selected which is the relation of the ice water content to the total water content. The following parameters were varied: initial aerosol particle number size distributions, types of ice nucleating particles, strength of convection, and the fractions of potential ice nucleating particles. Single and coupled freezing processes were investigated. The results show that immersion freezing seems to be the most efficient process and, in competition with contact freezing, the dominant process. Contact freezing is constrained by the collision kernel between supercooled drops and potential ice nucleating particles and becomes relevant at temperatures lower than -25°C . The importance of deposition freezing lies in secondary ice formation, i.e. small ice particles produced by deposition nucleation trigger the freezing of supercooled drops by collisions. Thus, a broader ice particle spectrum is generated than by immersion and contact freezing. Competition of contact and deposition freezing is negligible because of involved particle sizes. As already suggested in literature, mineral dust particles seem to be the most important ice nucleating particles. Biological particles are probably not involved in significant ice formation.

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1 Introduction

The importance of the ice phase in mixed-phase convective clouds is indisputable. The additional release of the latent heat of freezing enforces not only the strength of the convection; the presence of ice particles in the cloud also substantially modifies the dynamical structure and the amount of precipitation (e.g., Gilmore et al., 2004). Hence, studying the ice phase in convective mixed-phase clouds is highly relevant for the understanding of such clouds and their atmospheric impact. With the convective updraft water drops are transported into regions where the temperature is low enough to allow them to freeze. Homogeneous freezing (i.e., freezing that does not require the presence of ice nuclei) becomes efficient at temperatures below -35°C (Pruppacher and Klett, 2010). Thus, at warmer temperatures in the troposphere heterogeneous freezing (which involves ice nucleating particles) is the only process of ice initiation, potentially triggering secondary ice formation. Heterogeneous freezing significantly changes the availability of liquid water in the upper parts of the cloud since ice particles grow at the expense of liquid drops by the deposition of water vapor (Bergeron–Findeisen process) and by riming (i.e., collection of liquid water). Thus, the number of ice nucleating particles and their efficiency to initiate ice formation at temperatures above the level of homogeneous freezing determines the nature of convective clouds as it modifies cloud microphysical processes and cloud development (e.g., van den Heever et al., 2006; Ekman et al., 2007; Phillips et al., 2007; Lee et al., 2009).

For detailed investigations of cloud microphysical processes adiabatic parcel models with entrainment are often employed (e.g., Simmel et al., 2005; Leroy et al., 2006; Diehl et al., 2006, 2010; Ervens and Feingold, 2012). Air parcel models describe a rising bubble of air whose volume increases with height. Dry air is mixed with moist air into the parcel through entrainment. The advantage of parcel models is that they allow a detailed description of the cloud microphysical processes, usually achieved by the use of spectral bin-microphysical models that explicitly solve the microphysical equations (see Khain et al., 2000, for an overview).

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of the model was improved in the way that now it contains all heterogeneous freezing processes (deposition, contact, coupled condensation/immersion). This allows to investigate the competition of the freezing modes to understand the importance of deposition freezing in comparison to immersion and contact freezing, in particular with respect to the updraft velocity of the air parcel. The effects of various ice nucleating particles were compared to each other, also considering the different freezing modes, to estimate their importance.

2 Model description

The impact of ice nucleating particles on mixed-phase convective clouds is investigated with a microphysical scheme embedded in an air parcel model. The previous version of Diehl et al. (2006) was further developed in the way that new parameterizations were added or existing ones were modified or completely replaced.

The model of Diehl et al. (2006) contains a two-dimensional spectral microphysics scheme which divides the hydrometeor spectra into size bins (Simmel and Wurzler, 2006). These describe the number and mass of the drops or ice particles within the corresponding size range. A fixed bin structure is used combining the wetted aerosol particles and the drops in one spectrum where the soluble and total mass of aerosol particles is explicitly considered in every bin. An initial dry aerosol particle number size distribution is given where the particles are internally mixed with variable insoluble and soluble fractions. After starting the rise of the air parcel, the particles grow into the droplet part of the spectrum by condensation. The size spectra are allowed to evolve freely, they are not constrained by an underlying distribution function.

Two-dimensional means here that the microphysics is not a function of the drop size only (one-dimensional case) but a function of both drop and aerosol particle size (Simmel and Wurzler, 2006). In the one-dimensional case, it is affected that equal sized drops contain only equal sized particles which affects that drops of the same sizes freeze at the same temperature (Diehl and Wurzler, 2004). However, in real clouds

collision/coalescence, impaction scavenging of particles by drops, contact freezing of supercooled drops, growth of ice particles by riming, and secondary ice formation., i.e. freezing of supercooled drops by collision with an ice germ.

Because of these explicit descriptions the microphysical scheme is a useful tool to study in detail the link between aerosol particles and the evolution of cloud properties. The incorporation into an air parcel model has the advantage that all changes in the microphysical evolution of the cloud can be attributed to microphysical processes. The model improvements presented in the next sections include the following:

1. an updated particle-type dependent description of immersion freezing which is now related to the mass of insoluble particles contained in drops,
2. a modified description of contact freezing which is not only dependent on particle type but also particle size-resolved,
3. a new particle-type dependent description of deposition freezing.

All parameterizations are directly based on previous and new laboratory measurements as described in the following sections.

2.1 Immersion freezing

The previous description of immersion freezing (Diehl and Wurzler, 2004) gave the freezing rate of pure water drops containing ice nucleating particles as function of the drop volume V_{drop} according to:

$$-\frac{dN_f}{dt} = N_{\text{liq}} B_{\text{imm}} V_{\text{drop}} \exp(-a_{1,\text{imm}} T) \frac{dT}{dt} \quad (1)$$

with N_f the number of frozen drops, N_{liq} the number of liquid drops, and the constants $a_{1,\text{imm}}$ and B_{imm} . This parameterization implicitly reflected the fact that larger drops contain more particles because of collision and coalescence of drops and impaction

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scavenging of aerosol particles. The previous version was replaced by a new one which is coupled directly to the mass of insoluble particles in the drops. This is possible because of the sectional distribution of drops and particles into size classes (Diehl et al., 2006).

2.1.1 Parameterizations based on laboratory data

The experimental data used as basis for the parameterizations include the following ice nucleating particle types: bacteria, pollen, feldspar, illite, and kaolinite. The number of active sizes per unit mass n_m was measured in a number of laboratory experiments. Murray et al. (2011) investigated kaolinite KGa-1b, Atkinson et al. (2013) K-feldspar. Illite NX was studied by Broadley et al. (2012) and recently by Hiranuma et al. (2015). The latter publication summarized the results from seventeen experimental techniques. Wex et al. (2015) includes the results from seven experimental techniques using Snomax[®] as a proxy for bacteria. Previous data for pollen (Diehl et al., 2002; v. Blohn et al., 2005) were newly evaluated.

For kaolinite KGa-1b, K-feldspar, tree and grass pollen, an exponential increase of n_m with temperature T was found which is described by

$$n_m = \exp(a_{imm} + b_{imm}T_s) \quad (2)$$

with n_m in g^{-1} , a_{imm} and b_{imm} particle-related constants, $T_s = T_0 - T$, $T_0 = 0^\circ\text{C}$, with T in $^\circ\text{C}$. The constants for all particle types are listed in Table 1. Given in Table 1 are also the parameters T_{ini} and T_{lim} , representing the onset of immersion freezing during experiments and the lowest temperature which was investigated in the experiments, respectively.

Based on the best fit of the data of Murray et al. (2011) the constants in Eq. (2) were derived for kaolinite KGa-1b by using an average specific particle surface area of $11.8\text{m}^2\text{g}^{-1}$ as given by Murray et al. (2011); the result is shown in Fig. 1 as orange line. The solid part of the line represents the range which is validated by measurements of Murray et al. (2011) while the dotted part shows an extrapolation towards

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represented by the Hartmann et al. (2012) parameterization (solid green line in Fig. 2). One can notice a linear increase in the temperature range down to approximately -9°C and a further progress on a maximum value of $1.4 \times 10^{12} \text{g}^{-1}$. Thus, a linear regression curve was derived for the increase of n_m until the maximum value was reached; it is included in Fig. 2 as solid green line.

It can be noted from Fig. 1 that bacteria act at the highest temperatures starting not far below 0°C . Pollen lie in the range of the mineral dust particles. The differences between the mineral dust types are significant with feldspar the most efficient one, kaolinite the least efficient one.

2.1.2 Treatment of immersion freezing in the model

The previous Eq. (1) which gives the freezing rate of the supercooled drops had to be replaced by a similar expression which couples the number of active sites and the mass of insoluble particles in the drops. According to the singular description of heterogeneous freezing (Vali, 1971; Broadley et al., 2012) the frozen fraction of drops f_{ice} is given by

$$f_{\text{ice}}(T) = \frac{N_f(T)}{N_{\text{liq}}} = 1 - \exp(-n_m(T)m_{\text{pid}}) \quad (4)$$

with $N_f(T)$ the number of frozen drops at temperature T , N_{liq} the number of liquid drops, m_{pid} the mass of particles immersed in the drops, and $n_m(T)$ the number of active sites per unit mass at temperature T which is related to the cumulative nucleus spectrum $K(T)$ per unit mass per unit temperature:

$$n_m(T) = - \int_{T_0}^T K(T) dT \quad (5)$$

when lowering the temperature from $T_0 = 0^{\circ}\text{C}$ to T . From Eqs. (4) and (5) an expression for the change of the number of frozen drops ΔN_f per temperature interval ΔT can be

derived (Connolly et al., 2009):

$$\Delta N_f = N_{liq}(1 - \exp(-K(T)m_{pid}\Delta T)) \quad (6)$$

with N_{liq} the number of supercooled liquid drops and m_{pid} the mass of particles immersed in the drop. Thus, Eq. (1) can be replaced by

$$\frac{dN_f}{dt} = N_{liq} \frac{1 - \exp(-K(T)m_{pid}dT)}{dt} \quad (7)$$

As the aerosol particles are internally mixed one can assume that only a fraction of the insoluble mass per drop consists of ice nucleating material. Thus, the mass m_{pid} was reduced by a factor F_{INP} so that only this mass fraction accounts for possible numbers of active sites n_m and Eq. (7) was modified to

$$\frac{dN_f}{dt} = N_{liq} \frac{1 - \exp(-K(T)m_{pid}F_{INP}dT)}{dt} \quad (8)$$

A similar treatment was actualized in Diehl and Wurzler (2010). From Eqs. (2) and (5) it follows:

$$K(T) = \frac{dn_m(T)}{dT} = b_{imm} \exp(a_{imm} + b_{imm}T_s) \quad (9)$$

In Eq. (9) the freezing point depression due to the content of soluble material in the drops is considered, for details see Diehl and Wurzler (2004). In the model simulations, immersion freezing starts at the particle-related temperature T_{ini} , and at temperatures below T_{lim} it is assumed that the numbers of active sites stay constant. The sizes of possibly ice nucleating particles are restricted, i.e., dust particles must be larger than 0.1 μm in diameter, bacteria are limited to their typical diameters of 0.3 to 2 μm (Matthias-Maser and Jaenicke, 1995). Pollen are large particles of 10 μm at least (Straka, 1975), however, for the present simulations a lower limit of 2 μm was selected

Kiselev (personal communication, 2104) were performed with monodisperse Snomax[®] particles of 0.32 and 0.55 μm diameter. These data were used for size ranges from 0.3 to 0.5 μm and from 0.5 to 0.7 μm . For particles between 0.7 and 2 μm the data of Levin and Yankofsky were taken. The results are given in Fig. 4 as green lines.

5 Mineral dust particles

For mineral dust particles, a lower size limit of 0.1 μm in diameter was assumed. Illite NX particles were investigated by Hoffmann et al. (2013b) with 0.15, 0.32, 0.55, and 0.75 μm particles. These data were taken for size ranges from 0.1 to 0.2, 0.2 to 0.4, 0.4 to 0.6, and 0.6 to 0.8 μm . For larger particles, data from Diehl et al. (2012) were used. The results are shown in Fig. 4 as blue lines. K-feldspar was investigated by Hoffmann and Kiselev (personal communication, 2014) with 0.32 and 0.55 μm particles and by Diehl and Mitra (personal communication, 2014) with polydisperse particles. Here three size ranges were defined, from 0.1 to 0.4, 0.4 to 0.8 μm , and larger than 0.8 μm . The data are marked in Fig. 4 as red lines. For kaolinite and montmorillonite, also two size ranges were specified, from 0.1 and 1 μm and larger than 1 μm . The data for the larger particles sizes were both taken from Pitter and Pruppacher (1973, polydisperse particle samples). Results from Hoffmann et al. (2013a) were used for the smaller size range of kaolinite. Under the assumption that the differences between larger and smaller INP are similar for kaolinite and montmorillonite the data for the smaller size range of montmorillonite were obtained by a parallel shifting analogue to kaolinite. In Fig. 4, results for kaolinite are given in orange, results for montmorillonite in cyan.

From Fig. 4 it can be noted that particles in the larger size ranges affect freezing already at temperatures around -10°C while smaller particles become active in a temperature range around -25°C . Bacteria act at the highest temperatures, kaolinite and illite at the lowest. For all particle types and sizes except bacteria smaller than 0.7 μm the frozen fraction of drops increases linearly with temperature T (given in $^\circ\text{C}$) accord-

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ing to Diehl et al. (2006):

$$\frac{N_f}{N_{\text{liq}}} = a_{\text{con}}T + b_{\text{con}} \quad (10)$$

with N_f the number of frozen drops, N_{liq} the number of liquid drops colliding with dry particles at temperature T , and the constants a_{con} and b_{con} . Note that in Eq. (10) the frozen fraction is limited to values between 0 and 1. In Diehl et al. (2006), the constants were given for several particle types independent of their sizes while in the present parameterization the constants a_{con} and b_{con} are size-resolved. They are listed in Tables 2 and 3. In case of small bacteria the equation to calculate the frozen fraction of drops with respect to the temperature T (in °C) has the form

$$\frac{N_f}{N_{\text{liq}}} = a_{\text{con}} + b_{1,\text{con}}T + b_{2,\text{con}}T^2 + b_{3,\text{con}}T^3 \quad (11)$$

The size-resolved constants a_{con} , $b_{1,\text{con}}$, $b_{2,\text{con}}$, and $b_{3,\text{con}}$ are given in Table 2.

2.2.2 Treatment of contact freezing in the model

The description of contact freezing includes the following conditions: (1) dry particles have to be present, and (2) particles and supercooled drops have to collide with each other. Furthermore, the sizes of the particles allowed as activating ice nucleating particles are restricted as for deposition freezing (i.e., dust particles $> 0.1 \mu\text{m}$ in diameter, bacteria 0.3 to $2 \mu\text{m}$ in diameter).

The presence of dry particles is always the case during the air parcel ascent because of entrainment, i.e. new inactivated particles are continuously mixed in at the edges of the simulated cloud. However, in the presently employed air parcel model the particles are in equilibrium with respect to the water vapor in their environment and, thus, they take up some water due to their size and soluble fraction. As introduced in Diehl et al. (2006) the dryness of a potential ice nucleating particle is defined by the assumption that the water mass should be smaller than half of the dry particle mass.

The second condition is considered by a collision kernel K calculated for supercooled drops and particles (Kerkweg et al., 2003; for more details see Diehl et al., 2006):

$$K = E_{\text{coll}} |V_{\infty, \text{drop}} - V_{\infty, \text{ap}}| \cdot \pi (r_{\text{drop}} - r_{\infty})^2 \quad (12)$$

where $V_{\infty, \text{drop}}$ and $V_{\infty, \text{ap}}$ are the terminal velocities of the drop and the particle, respectively, r_{drop} and r_{ap} the drop and particle radii, respectively. The collision kernel shows highest values for collisions between large drops and particles (Diehl et al., 2006), i.e. contact freezing is the most efficient when large supercooled drops and particles are present. If during the model simulations dry particles collide with supercooled drops the number of frozen drops is calculated. It is assumed that only a fraction F_{INP} of the aerosol particles is able to act as ice nucleating particles. Only drops which collide with those INP are allowed to freeze which is included in the following modified Eqs. (13) and (14):

$$N_f = F_{\text{INP}} N_{\text{liq}} (a_{\text{con}} T + b_{\text{con}}) \quad (13)$$

$$N_f = F_{\text{INP}} N_{\text{liq}} (a_{\text{con}} + b_{1, \text{con}} T + b_{2, \text{con}} T^2 + b_{3, \text{con}} T^3) \quad (14)$$

This is under the requirement that these equations are based on measurements with one drop–particle collision per freezing event so that the fraction of frozen drops in Eqs. (13) and (14) can be set equal to the freezing probability (Ladino et al., 2013). This requirement is fully achieved in the experiments of Hoffmann et al. (2013a, b), and Hoffmann and Kiselev (personal communication, 2014). During the experiments of Pitter and Pruppacher (1973), Levin and Yankofsky (1983), and Diehl et al. (2012) the number of collisions per freezing event is not documented. Single supercooled drop were freely levitated (in a wind tunnel or an acoustic levitator) while one burst of INP was blown on it. Therefore, as the particles collided almost simultaneously with the supercooled drop one could assume that in case the drop froze this was triggered by the first collision.

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Although data were available only for ice supersaturation ranges below 25 % (bacteria, illite NX, Saharan and Asian dust) and above 20 % (illite IMt1 and feldspar), respectively, due to the investigated temperature ranges, it is assumed that Eq. (15) is valid for the complete ice supersaturation range. However, according to the onset of deposition freezing in the experiments, lower limits of ice supersaturation and temperature as measured during the FRIDGE experiments were set in the model. That means, deposition freezing of illite IMt1 and feldspar start at the same conditions as illite NX. In the model simulations, the two types of illite were taken as upper and lower limits and referred as illite 1 and illite 2. The values are given in Table 5.

2.3.2 Treatment of deposition freezing in the model

Conditions for deposition freezing are: (1) dry particles have to be present as it is required for contact freezing, i.e. the same particles may affect deposition or contact freezing. Additionally, (2) there are two size conditions. First, the dry particles have to exceed a critical germ size r^* in dependence of temperature and ice supersaturation which is according to Pruppacher and Klett (2010):

$$r^* = \frac{2M_W\sigma_{i,v}}{RT\rho_{ice}\ln S_{ice}} \quad (16)$$

where M_W the molecular weight of water, $\sigma_{i,v}$ the surface tension, R the universal gas constant, T the temperature, ρ_{ice} the density of ice, and S_{ice} the ice saturation ratio. However, this condition is actually redundant as it excludes particles smaller than approximately 0.01 μm and additionally size restrictions of the ice nucleating particles were assumed: dust particles larger than 0.1 μm in diameter and bacteria between their typical size range of 0.3 and 2 μm in diameter (Matthias-Maser and Jaenicke, 1995).

In each time step it is checked if temperature and ice supersaturation are above the limit values T_{ini} and $S_{ice, ini}$, if yes it is checked which available dry particles exceed the size limits, and from these the activated fraction is calculated. It is assumed that only

- dry aerosol particle number size distribution: average continental and regional haze,
- ice nucleating particle type – biological particles and mineral dust,
- strength of convection: three levels of convection, simulated by a temperature difference of 3, 2 K, and 1.5 K, leading to final temperatures of –40, –30, and –24.5 °C, respectively,
- fraction of potential ice nucleating particles F_{INP} – variation between 0.001 and 10 %.

Afterwards, coupled freezing processes were investigated to study the competition between the different freezing processes. These were undertaken only with those parameters which resulted in higher ice formation.

4 Results and discussion

4.1 Ice water fractions and single freezing processes

To evaluate the efficiency of the different freezing processes and ice nucleating particle types, as a central diagnostic parameter the ice water fraction IWF was selected which is calculated from the ice water content IWC and the liquid water content LWC:

$$\text{IWF} = \frac{\text{IWC}}{\text{LWC} + \text{IWC}} \quad (18)$$

According to Korolev et al. (2003) an ice cloud is defined by $\text{IWF} > 0.9$, a liquid cloud by $\text{IWF} < 0.1$, and mixed-phase clouds by $0.1 \leq \text{IWF} \leq 0.9$. Note that in an air parcel model, the IWF is only influenced by in-situ ice formation processes and not by sedimentation of ice into or out of the considered parcel. In the following Tables 5 to 7, the ice water fractions as results from the sensitivity studies are listed for immersion,

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$2 \times 10^6 \text{ m}^{-3}$ for the regional haze distribution. Thus, fractions of potential ice nucleating particles F_{INP} of 10% resulted in particle concentrations available for deposition and contact nucleation of at the most $4 \times 10^4 \text{ m}^{-3}$ and $2 \times 10^5 \text{ m}^{-3}$, respectively.

In Saharan dust events, Bangert et al. (2012) measured particle number concentrations up to $5 \times 10^7 \text{ m}^{-3}$. In Hande et al. (2014), simulated mineral dust number concentrations are $4 \times 10^5 \text{ m}^{-3}$ on average up to extreme values of $5.8 \times 10^6 \text{ m}^{-3}$. Thus, the numbers of potential INP used in the model simulations do not exceed realistic particle concentrations of mineral dust.

Near-surface concentrations of bacteria range between $1 \times 10^3 \text{ m}^{-3}$ and $5 \times 10^5 \text{ m}^{-3}$ depending on ecotypes (Burrows et al., 2009) but these values are certainly not reached in upper cloud regions. On the other hand, DeLeon-Rodriguez et al. (2013) reported from field measurements in low- and high-altitude air masses that bacterial cells represented nearly 20% of the total particles in the diameter range between 0.25 and $1 \mu\text{m}$. This is approximately the size range of potential ice nucleating particles in the present model simulations. For even larger particles in the coarse mode high fractions of PBAP (primary biological particles) are also reported by Manninen et al. (2014). However, the numbers of potential INP used in the model simulations probably overestimate real bacteria concentrations.

Considering these factors one may conclude that the conditions for atmospheric deposition and contact freezing could be sufficient in some cases to form mixed-phase clouds from primary ice formation by mineral dust particles. In some extreme cases, the formation of mixed-phase clouds might be possible via deposition nucleation on bacteria. On the other hand, the initial particle spectra used for the present model simulations contain little amounts of particles larger than $1 \mu\text{m}$ (see Fig. 8) which would be able to act as contact ice nucleating particles much more efficiently (see Sect. 2.2.1). Thus, in cases where larger INP are present in or around atmospheric clouds contact freezing might be significantly enhanced.

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4.3 Ice particle spectra, single and coupled freezing processes

In this section only simulations with the most efficient ice formation are treated, i.e. using the average continental particle distribution and a medium strength of convection with $\Delta T = 2$ K leading to final temperatures of -30°C . The potential fractions F_{INP} were set to 10% for feldspar, illite, montmorillonite, and kaolinite. Bacteria and pollen were not considered here as those high values of F_{INP} are not realistic (see discussion in Sect. 4.2). Figure 10 shows the ice particle number size distributions at different altitudes and corresponding temperatures for single deposition, contact, and immersion freezing processes.

The ice particle spectra affected by immersion freezing are rather narrow starting with a particle diameter of $1\ \mu\text{m}$ due to the smallest drop size. However, larger drops around $30\ \mu\text{m}$ in diameter were frozen first as their content of insoluble particles is higher. With decreasing temperature, also smaller drops can freeze while ice particles grow by the deposition of water vapour and by riming, i.e. the ice particle spectra broadens in both directions. Finally, they are still smaller than the ones formed by deposition freezing. The differences between the dust types are much more evident than in the other modes and the final ice particle numbers are higher, in particular for feldspar.

In the contact mode, the simulated ice particle spectrum is still somewhat narrower. At temperatures around -20°C , the maximum of the drop number concentration lies at $30\ \mu\text{m}$. This indicates that large supercooled drops froze by collisions with larger particles as in this temperature range smaller particles are hardly efficient as contact INP. Lowering the temperature down to -30°C enhances the ice particle spectra towards larger sizes, i.e. the ice particles grow by the deposition of water vapor and by riming but still only little amounts of small drops are freezing. Thus, contact freezing is strongly controlled by the collision kernel. The number concentrations of feldspar and montmorillonite are rather similar at -30°C but strongly different at -21°C . This is due to the fact that smaller feldspar particles are active at higher temperatures as smaller montmorillonite particles (see Fig. 4).

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and, thus, contact freezing becomes relevant near this temperature range only. Contact freezing might be enhanced in atmospheric situations where particles larger than 1 μm are present in higher amounts.

The importance of deposition freezing lies in secondary ice formation: at first, small pristine ice particles are formed due to the sizes of the involved particles. They trigger the freezing of supercooled drops by collisions. Thus, a broader ice particle spectrum is generated than by immersion and contact freezing. Regarding coupled contact and deposition freezing, there is hardly competition because of involved particle sizes. Small particles are less efficient in the contact mode because (1) they collide less with supercooled drops, (2) they act at rather low temperatures. Therefore, small particles are available for deposition freezing while the larger particles are involved in the contact mode as they are more effective INP and collision partners.

One should consider that during the cloud model runs each drop contains insoluble material serving as immersion ice nucleus because the particles in the model are internally mixed. In a real cloud there might be drops which do not contain any potential ice nucleating material. In contrast, the amount of interstitial dry particles serving as deposition or contact freezing nuclei is limited in an air parcel model while in a real cloud there might be more potential ice nuclei at the edges or beneath the cloud.

As already suggested in literature, mineral dust particles seem to be the most important INP. The model results indicate that ice formation by immersion freezing is similarly sensitive to the mineral dust types as to the potential fractions of INP. Therefore, the investigation of atmospheric mixtures of mineral dust is relevant and will decide about the actual immersion freezing effects which will lay between the effects of kaolinite and feldspar. Biological particles such as bacteria and pollen are found to be very effective INP in laboratory; however, the critical factor are the amounts of biological particles in atmospheric environment and clouds. The present model simulations together with estimations of their atmospheric occurrence indicate that they are probably not involved in significant ice formation. This has been suggested already by Phillips et al. (2009), Diehl and Wurzler (2010), and Paukert and Hoose (2014).

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Table 1. Values of immersion freezing constants in Eq. (7). Based on data from (1) Wex et al. (2015); (2) Diehl et al. (2002); (3) v. Blohn et al. (2005); (4) Atkinson et al. (2013); (5) Hiranuma et al. (2015); (6) Murray et al. (2011).

particle type	a_{imm}	b_{imm}	$T_{\text{ini}}^{\circ\text{C}}$	$T_{\text{lim}}^{\circ\text{C}}$
bacteria (1)	6.41344	2.33592	−2	−9.139
tree pollen (2; 3)	7.16249	0.62053	−9	−38
grass pollen (2; 3)	9.9731	0.030301	−12	−38
feldspar (4)	2.10379	1.038	−5	−25
illite (5)	−1.77473	0.89507	−10	−37
kaolinite (6)	−4.61608	0.8881	−13	−37

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Table 2. Values of contact freezing constants in Eqs. (3) and (4). Based on data from (1) Hoffmann and Kiselev (2014), who used Snomax[®] as a proxy for bacteria and (2) Levin and Yankofsky (1983). The latter values were used in Diehl et al. (2006).

particle type and size	a_{con}	$b_{1,\text{con}}$	$b_{2,\text{con}}$	$b_{3,\text{con}}$
bacteria				
(1) $0.3 \mu\text{m} \leq d_{\text{ap}} < 0.5 \mu\text{m}$	-1.36581	-0.26367	-0.01511	-2.84911
(1) $0.5 \mu\text{m} \leq d_{\text{ap}} < 0.7 \mu\text{m}$	-0.55381	-0.10712	-0.00616	-1.16822
	a_{con}	b_{con}		
(2) $0.7 \mu\text{m} \leq d_{\text{ap}} < 2 \mu\text{m}$	-0.264	-0.742		

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Table 4. Values of deposition freezing constants a_{dep} and b_{dep} in Eq. (1) and values of lower limits of temperature T_{ini} and ice supersaturation $s_{\text{ice, ini}}$. Based on data from (1) Danielczok and Bingemer (2014); (2) Yakobi-Hancock et al. (2013); (3) Ardon-Dryer and Levin (2012).

particle type	a_{dep}	b_{dep}	T_{ini} °C	$s_{\text{ice, ini}}$ %
bacteria (1)	−12.65977	0.33382	−10 (1)	3 (1)
feldspar (2)	−14.58404	0.23576	−13 (1)	6 (1)
illite 1 (1)	−12.79648	0.15451	−13 (1)	6 (1)
illite 2 (2)	−15.11871	0.19669	−13 (1)	6 (1)
Saharan dust (3)	−13.39669	0.10058	−18 (3)	11 (3)
Asian dust (3)	−14.98495	0.09756	−15 (3)	8 (3)

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Table 5. Ice water fractions from sensitivity studies with immersion freezing. Liquid clouds with IWF < 0.1, mixed-phase clouds with $0.1 \leq \text{IWF} \leq 0.9$ (in bold), ice clouds with IWF > 0.9 (in bold).

AP F_{INP} (%)	regional haze					immersion freezing				
	0.001	0.01	0.1	1	10	0.001	0.01	0.1	1	10
$\Delta T = 3 \text{ K}$ $T_{\text{fin}} = -40^\circ \text{C}$										
bacteria	0.27	0.94	0.99	1.0	1.0	0.03	0.27	0.91	0.99	1.0
pollen	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02	0.08	0.15	0.17
feldspar	< 0.01	0.12	0.74	1.0	1.0	< 0.01	0.10	0.37	0.9	1.0
illite	< 0.01	0.01	0.14	1.0	1.0	< 0.01	0.19	0.43	0.70	1.0
kaolinite	< 0.01	< 0.01	< 0.01	0.64	0.81	< 0.01	< 0.01	0.12	0.34	0.60
$\Delta T = 2 \text{ K}$ $T_{\text{fin}} = -30^\circ \text{C}$										
bacteria	0.26	0.86	0.99	1.0	1.0	0.13	0.43	0.86	0.99	1.0
pollen	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02	0.13	0.33
feldspar	< 0.01	0.02	0.21	0.71	1.0	0.08	0.34	0.56	0.80	0.93
illite	< 0.01	< 0.01	< 0.01	< 0.01	0.02	< 0.01	< 0.01	0.04	0.24	0.47
kaolinite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02	0.15
$\Delta T = 1.5 \text{ K}$ $T_{\text{fin}} = -25^\circ \text{C}$										
bacteria	0.11	0.61	0.96	1.0	1.0	0.05	0.25	0.69	0.97	1.0
pollen	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.03
feldspar	< 0.01	< 0.01	< 0.01	0.03	0.24	< 0.01	< 0.01	0.03	0.35	0.59
illite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.01
kaolinite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01

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**Table 6.** Ice water fractions from sensitivity studies with contact freezing. Liquid clouds with IWF < 0.1, mixed-phase clouds with $0.1 \leq \text{IWF} \leq 0.9$ (in bold).

AP F_{INP} (%)	contact freezing			average continental		
	regional haze			0.1	1	10
$\Delta T = 3 \text{ K}$ $T_{\text{fin}} = -40^\circ \text{C}$						
bacteria	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.06
montmorillonite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.04
illite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
kaolinite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
$\Delta T = 2 \text{ K}$ $T_{\text{fin}} = -30^\circ \text{C}$						
bacteria	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.23
montmorillonite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.12
illite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
kaolinite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
$\Delta T = 1.5 \text{ K}$ $T_{\text{fin}} = -25^\circ \text{C}$						
bacteria	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.01
montmorillonite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
illite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
kaolinite	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01

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Table 7. Ice water fractions from sensitivity studies with deposition freezing. Liquid clouds with IWF < 0.1, mixed-phase clouds with $0.1 \leq \text{IWF} \leq 0.9$ (in bold).

AP F_{INP} (%)	deposition freezing							
	regional haze				average continental			
	0.01	0.1	1	10	0.01	0.1	1	10
$\Delta T = 3 \text{ K}$ $T_{\text{fin}} = -40^\circ \text{C}$								
bacteria	< 0.01	< 0.01	0.05	0.52	< 0.01	0.02	0.14	0.42
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02	0.10	0.31
illite 1	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02	0.13
illite 2	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.01	0.10
Saharan dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.01
Asian dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
$\Delta T = 2 \text{ K}$ $T_{\text{fin}} = -30^\circ \text{C}$								
bacteria	< 0.01	< 0.01	< 0.01	0.06	< 0.01	0.04	0.27	0.51
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.07	0.34
illite 1	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.03	0.22
illite 2	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.01	0.11
Saharan dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	0.02
Asian dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
$\Delta T = 1.5 \text{ K}$ $T_{\text{fin}} = -25^\circ \text{C}$								
bacteria	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
feldspar	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
illite 1	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
illite 2	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
Saharan dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01
Asian dust	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01	< 0.01

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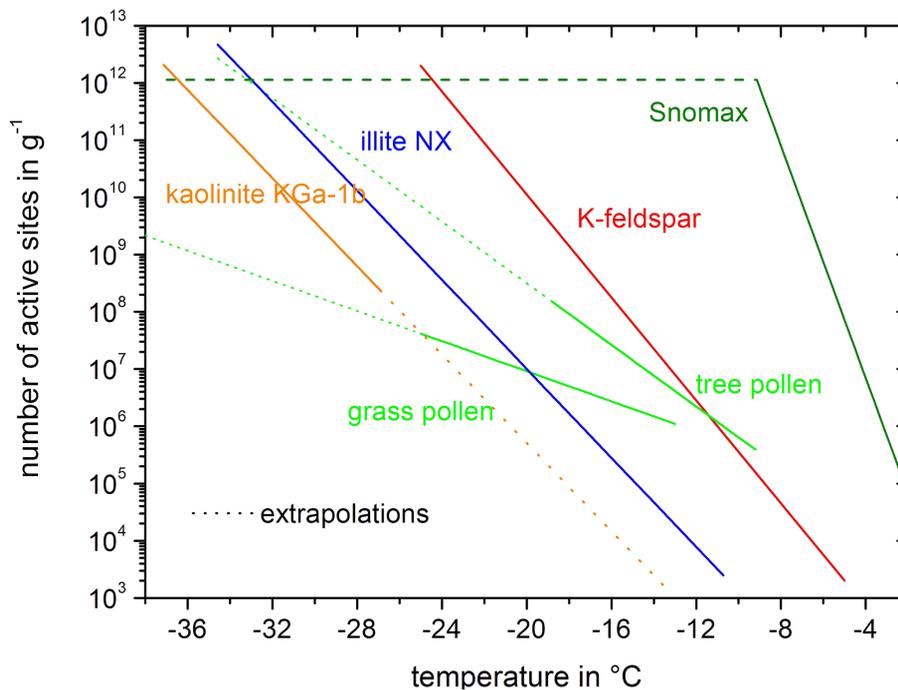


Figure 1. Numbers of active sites per unit mass as function of temperature calculated by Eq. (2) with constants given in Table 1 for various particle types.

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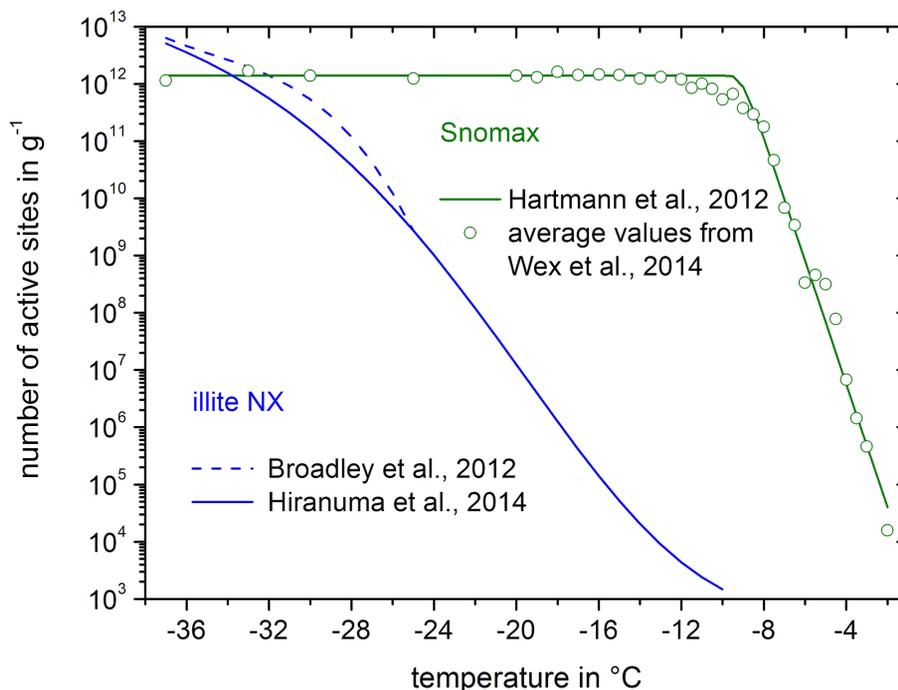
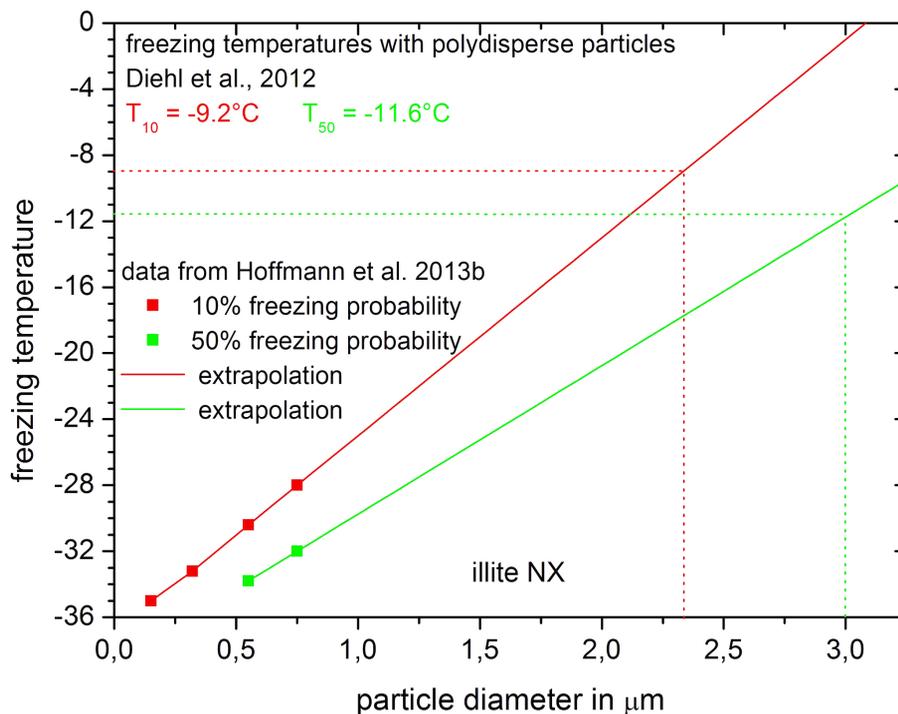


Figure 2. Numbers of active sites per unit mass as function of temperature. Parameterizations for illite NX and Snomax[®].

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**Figure 3.** Freezing temperature as function of particle diameter for illite NX.[Title Page](#)[Abstract](#)[Introduction](#)[Conclusions](#)[References](#)[Tables](#)[Figures](#)[◀](#)[▶](#)[◀](#)[▶](#)[Back](#)[Close](#)[Full Screen / Esc](#)[Printer-friendly Version](#)[Interactive Discussion](#)

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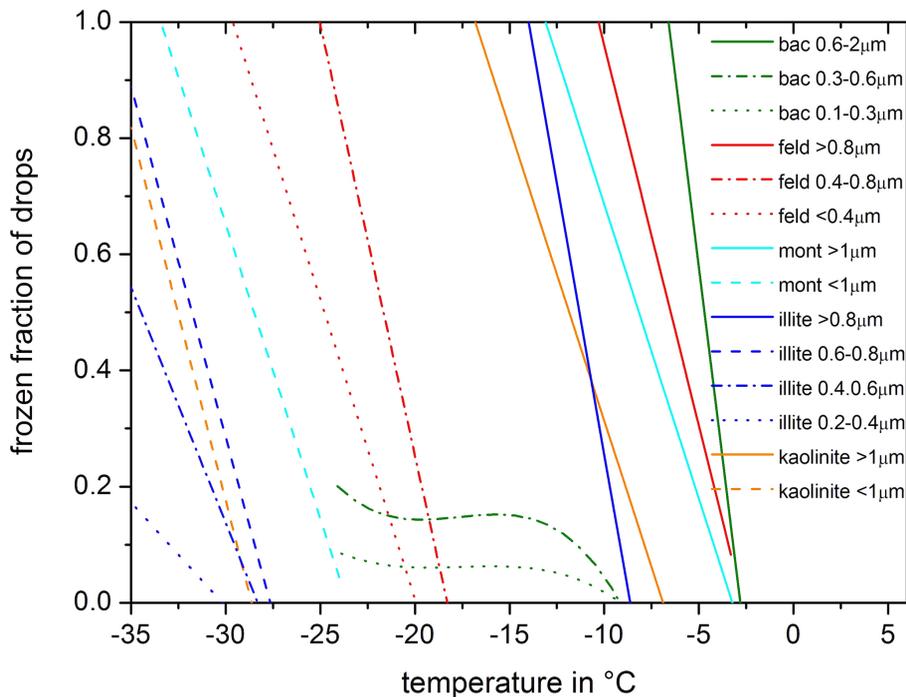


Figure 4. Frozen fraction of drops as function of temperature for various particle types and sizes, marked by different colors and line styles.

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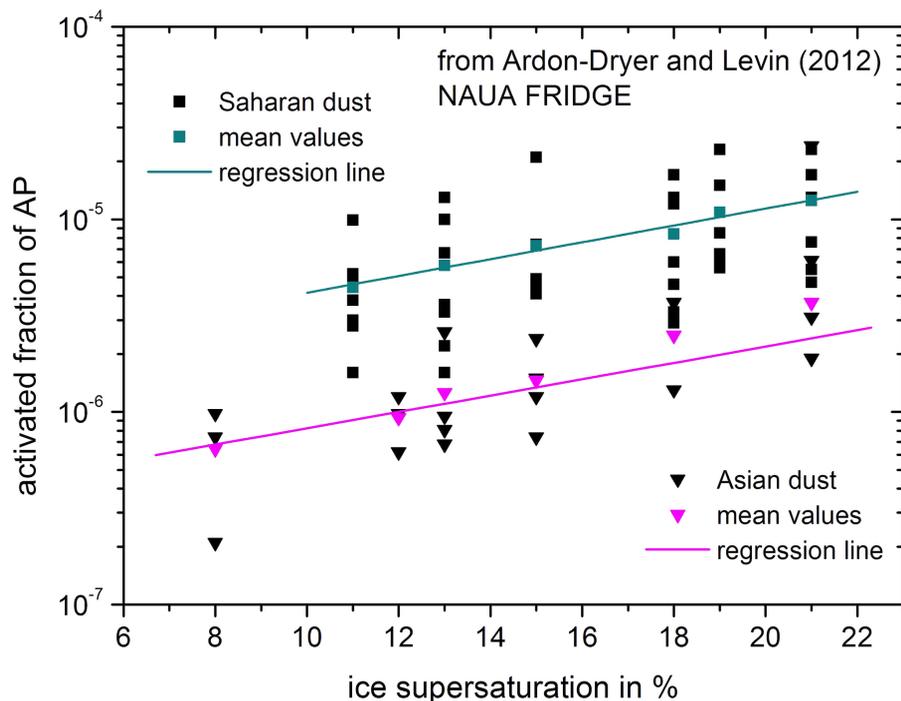


Figure 5. Activated fraction of particles as function of ice supersaturation for Saharan and Asian dust. Data from Ardon-Dryer and Levin (2012).

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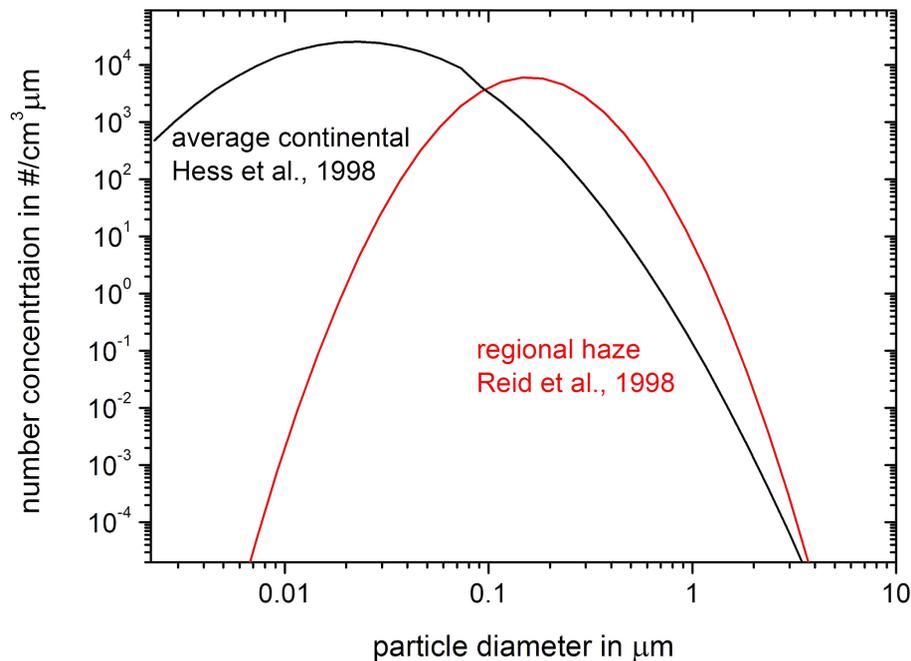


Figure 8. Initial dry aerosol particle number size distributions: number concentrations of per cm^3 and μm as function of particle diameter.

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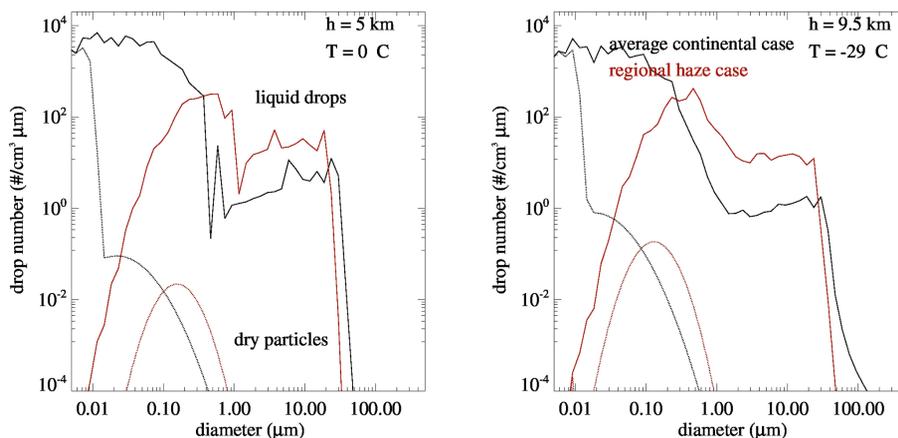


Figure 9. Results from model runs without freezing. Development of liquid drop (solid lines) and interstitial particle numbers (dotted lines) with altitude for two initial aerosol particle number size distributions, average continental (black lines), regional haze (red lines), with $\Delta T = 2$ K. Number concentrations of per cm^3 and μm as function of particle diameter.

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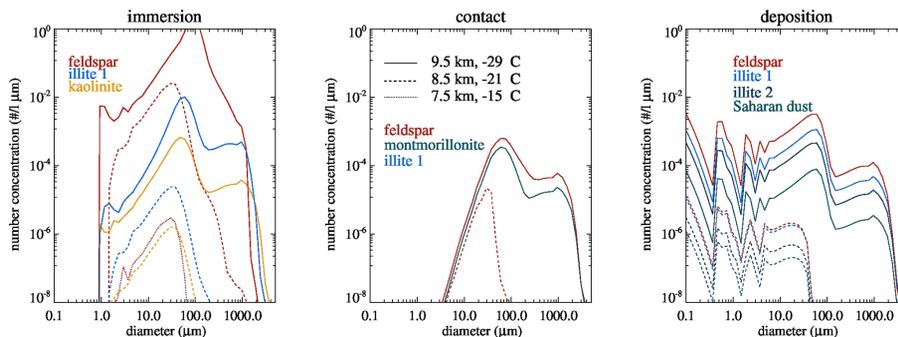


Figure 10. Development of ice particle numbers with altitude and corresponding temperature, marked by different line styles, for deposition, contact and immersion freezing. Types of INP marked by colors. Model simulations with average continental number size distribution, and with $\Delta T = 2$ K. Number concentrations of per cm^3 and μm as function of particle diameter.

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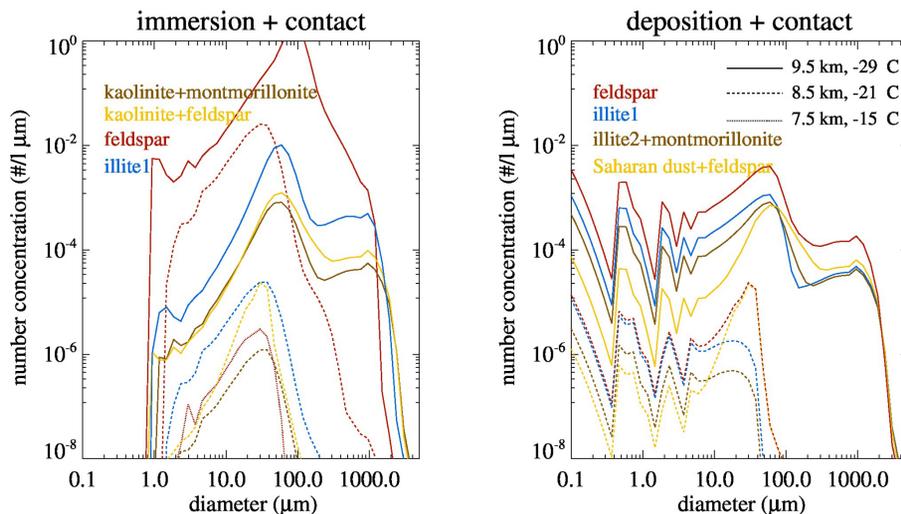


Figure 11. Development of ice particle numbers with altitude and corresponding temperature, marked by different line styles, for coupled freezing processes. Types of INP marked by colors. Model simulations with average continental number size distribution, and with $\Delta T = 2$ K. Number concentrations of per cm^3 and μm as function of particle diameter.

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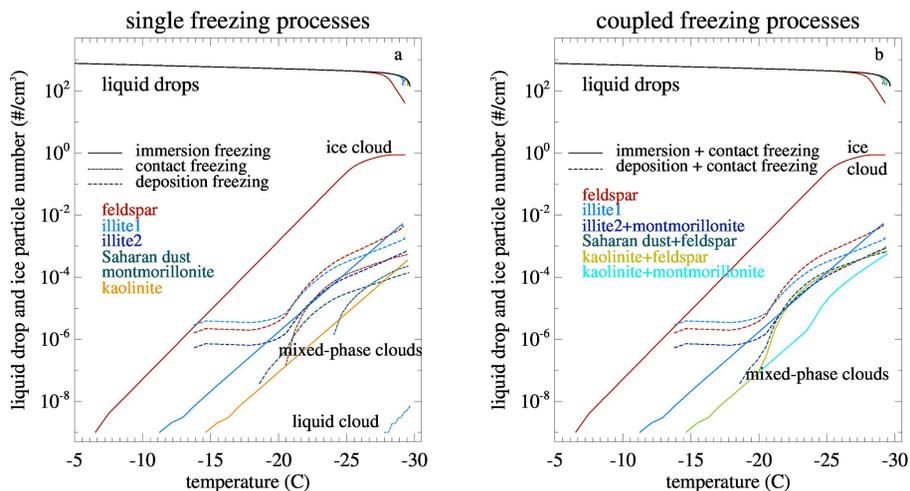


Figure 12. Total numbers of liquid drops and ice particles as function of temperature for single and coupled freezing processes which are marked by different line styles. Types of INP marked by colors. Model simulations with average continental number size distribution, and with $\Delta T = 2$ K. Numbers of per cm^3 .